

Medida de aberraciones corneales y oculares

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Journal of Refractive Surgery



Líneas de Investigación:

- 1.- Óptica Visual
- 2.- Calidad Óptica y Visual tras Cirugía Refractiva
- 3.- Presbicia y Acomodación.

Producción Científica:

- Artículos Internacionales: 91
- Patentes: 2
- 4 Proyectos de Investigación en marcha (IP)

Outline

- 1.- Fundamentals of elevation topography
- 2.- Irregular astigmatism: Fourier analysis
- 3.- Wavefront
- 4.- Wavefront sensing
- 5.- Zernike polynomials
- 6.- How does wavefront sensing relate to refractive surgery?
- 7.- Fourier versus Zernike

1.- FUNDAMENTALS OF ELEVATION MAP TOPOGRAPHY

Two Types

- General: Placido Disc
- Orbscan/Pentacam

ORBSCAN: MAIN FEATURES

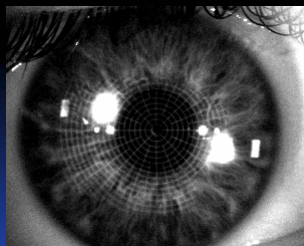
- Accurate elevation and curvature information
- Anterior and posterior cornea surface's
- Full cornea thickness

OPTICAL ADQUISITION HEAD

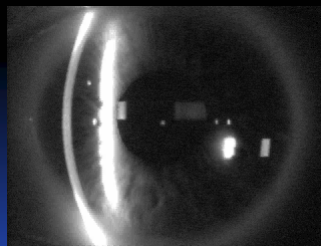
- Scans the eye using light slits that are projected at a 45-degree angle.
- 40 slits in total.
- Processing and construction of elevation maps of the anterior & posterior cornea.
- Pachimetry: Differences in elevation between the anterior and posterior surface

HOW THE INFORMATION DIFFERS TO PLACIDO BASED SYSTEMS?

Reflective and Slit-scan



- One image, one surface.
- Angle-dependent specular reflection.
- Measures slope (as a function of distance).



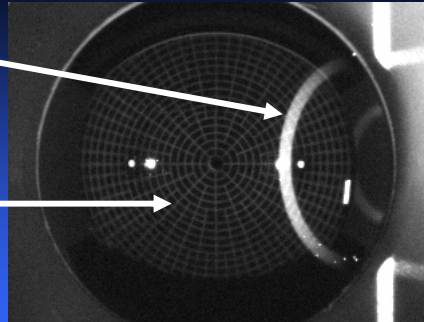
- Multiple images, multiple surfaces.
- Omni-directional diffuse backscatter.
- Triangulates elevation.

Placido reflective systems can only measure the anterior cornea. ORBSCAN measures the anterior cornea, posterior cornea, and the anterior lens and iris.

Hybrid Technology of ORBSCAN

1. Measure **surface elevation directly** by triangulation of backscattered slit-beam.

2. Measure **surface slope directly** using specular reflection, supplemented with triangulated elevation.



3. **Unify triangulated and reflective data** to obtain accurate surfaces in elevation, slope, and curvature.

Scanning slits measure several surfaces

anterior cornea

posterior cornea

anterior lens

anterior iris



projector reflex

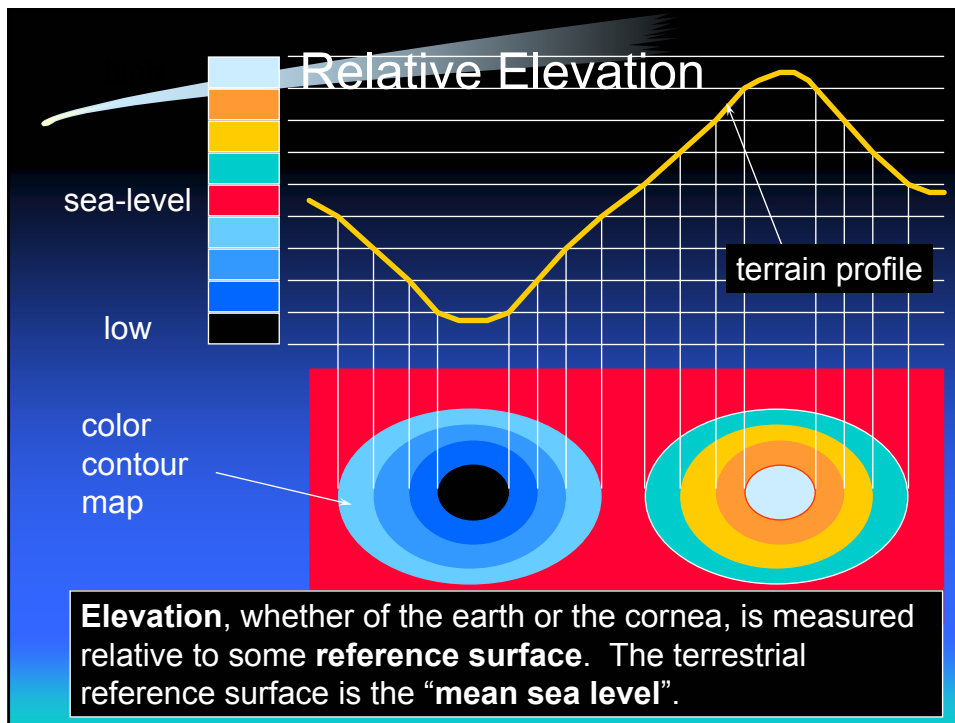
fixation reflex

limbus

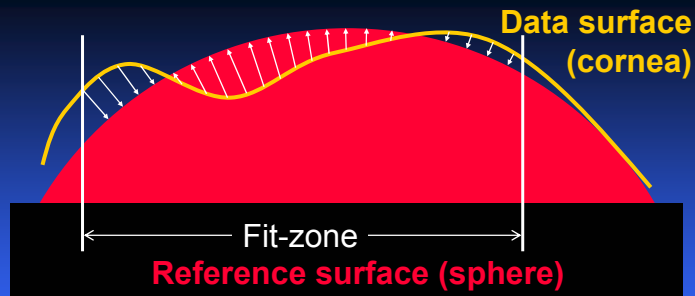


HOW TO READ CORNEAL ELEVATION MAPS

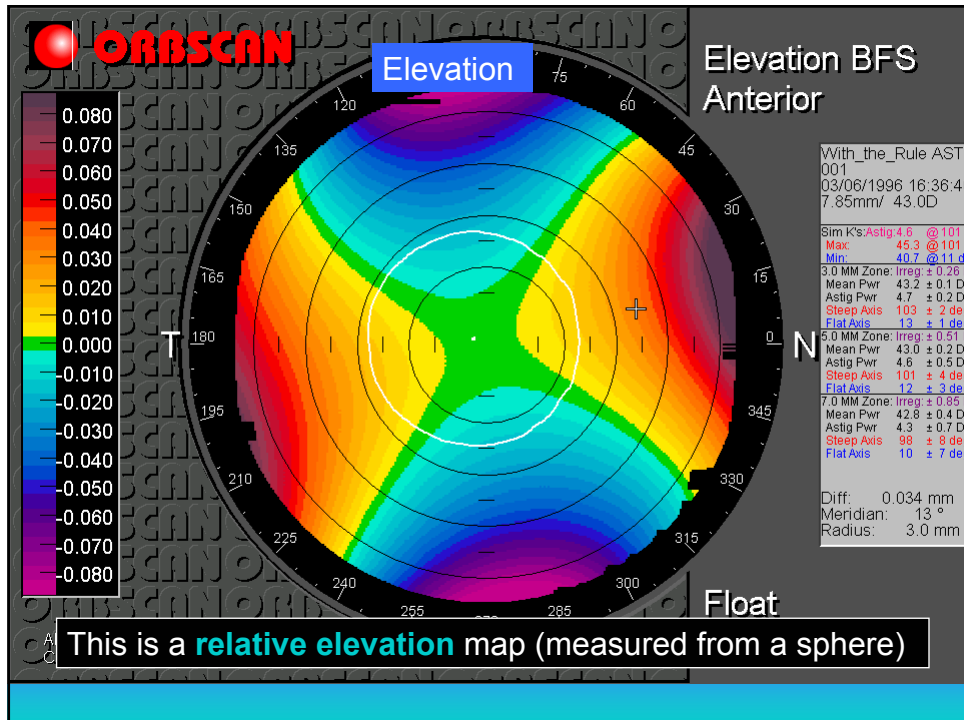
- Corneal Elevation Topography is viewed relative to a reference surface
- Standardization of the reference surface



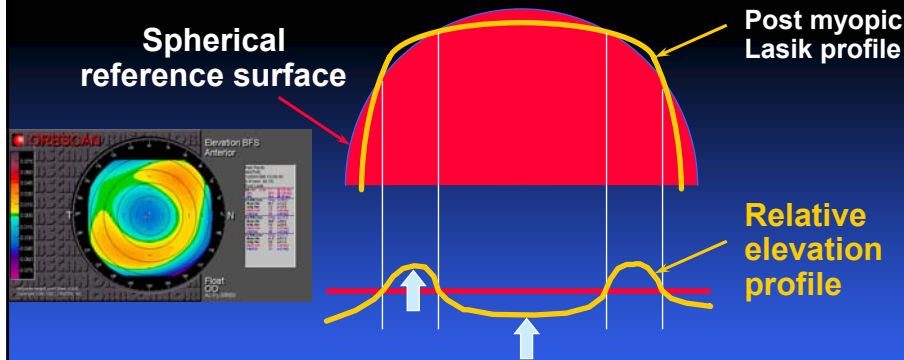
Close-Fitting Reference Surfaces



For the cornea, a reference surface (typically, a sphere) is constructed by **fitting** the reference surface as close as possible to the data surface.

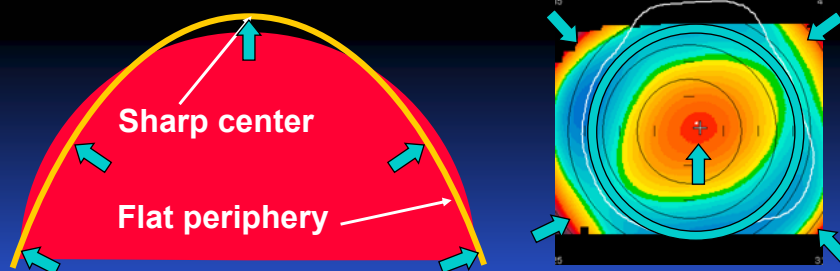


Elevation Distortion



As an example of distortion, consider the corneal surface. To see surface features, elevation must be measured with respect to some **reference surface**. This relative elevation peak is **NOT** the highest point on the surface. This apparent central "concavity" does **NOT** exist.

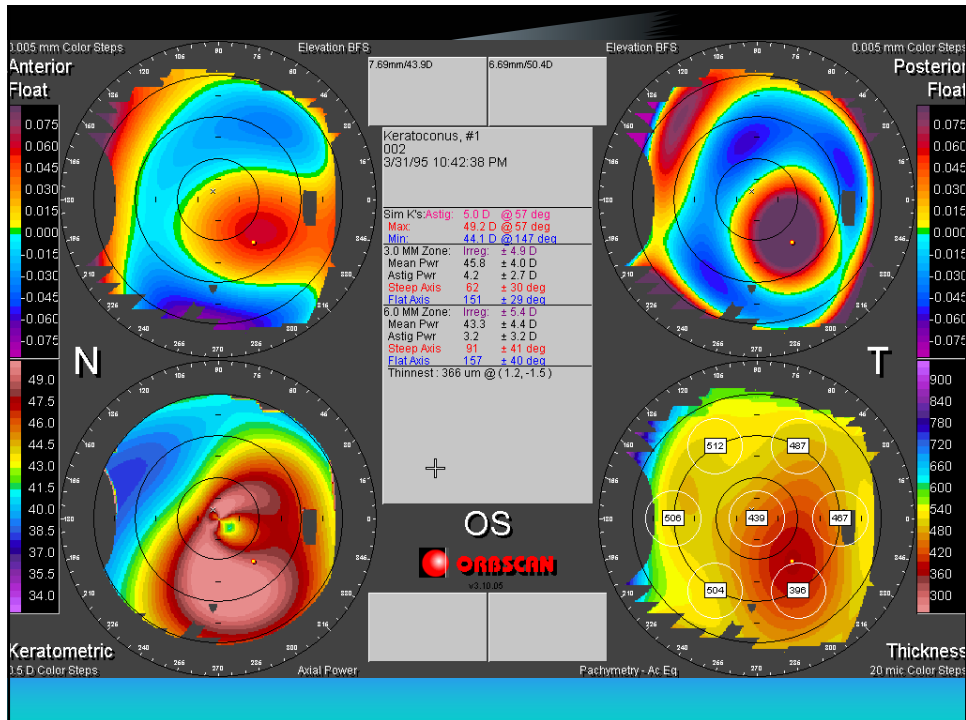
Elevation Topology: Central Hill



The normal cornea is **prolate**, meaning that meridional prolateness of the normal cornea causes it to rise centrally. Immediately surrounding the central hill is an **annular sea**. In the far periphery, the prolate cornea again rises above the reference surface, producing **peripheral highlands**.

Importance of The Post Surface of The Cornea

- Keratoconus will show as localized posterior elevation with associated thinning. Patients with thin corneas without posterior elevation are unlikely to be keratoconic.



2.- IRREGULAR ASTIGMATISM: FOURIER ANALYSIS

ASTIGMATISMO IRREGULAR

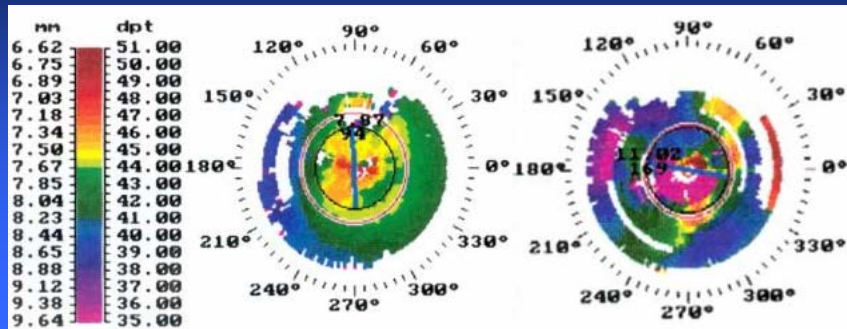
Astigmatismo regular \Rightarrow meridianos principales perpendiculares entre sí, y corrección con lentes esferocilíndricas

Cornea con forma irregular que no puede describirse con una sección esférica, tórica o cónica \Rightarrow **Astigmatismo irregular**

Causas comunes: ojo seco, degeneraciones corneales, traumas, cirugía de la catarata y refractiva.

Problem

Impossibility to evaluate topographies without pattern



Análisis de Fourier

Es un procedimiento matemático que permite la descomposición de cualquier objeto periódico en una suma de términos sinusoidales de frecuencias crecientes y amplitudes determinadas, lo que se conoce como **espectro de Fourier** de dicha función.

Solution

To apply Fourier Analysis to
videoqueratographic data

Serie of Fourier

Funtion $f(x)$ periodical



Sum of discrete function $f(x)$
Sinusoidal terms:

$$f(x) = a_0 + \sum_{n=1}^{\infty} a_n \cdot \cos(2\pi nx / p) + \sum_{n=1}^{\infty} b_n \cdot \sin(2\pi nx / p)$$

$$a_0 = \frac{1}{p_0} \int_0^p f(x) dx$$

$$a_n = \frac{1}{p_0} \int_0^p f(x) \cdot \cos(2\pi nx / p) dx$$

$$b_n = \frac{1}{p_0} \int_0^p f(x) \cdot \sin(2\pi nx / p) dx$$

Fourier Transform

Possibility to apply to non-periodical functions using the Fourier Transform (FT):

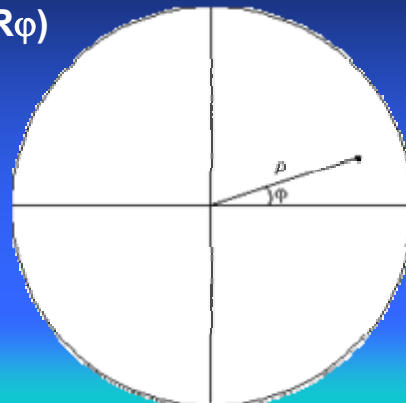
$$T.F. \{f(x)\} = F(w) = \int f(x) \cdot \exp(-i2\pi wx) dx$$

To rebuilt the original function $f(x)$ we apply the inverse transform to the function $F(W)$:

$$f(x) = T.F.^{-1} \{F(w)\} = \int F(w) \cdot \exp(i2\pi xw) dw$$

Fourier Analysis

Topographic image is a matrix of data $M_{\rho}(R_{\phi})$ containing radii as a function of the angle (R_{ϕ}) for each ring of radius ρ .



Fourier Analysis

Topography

Software

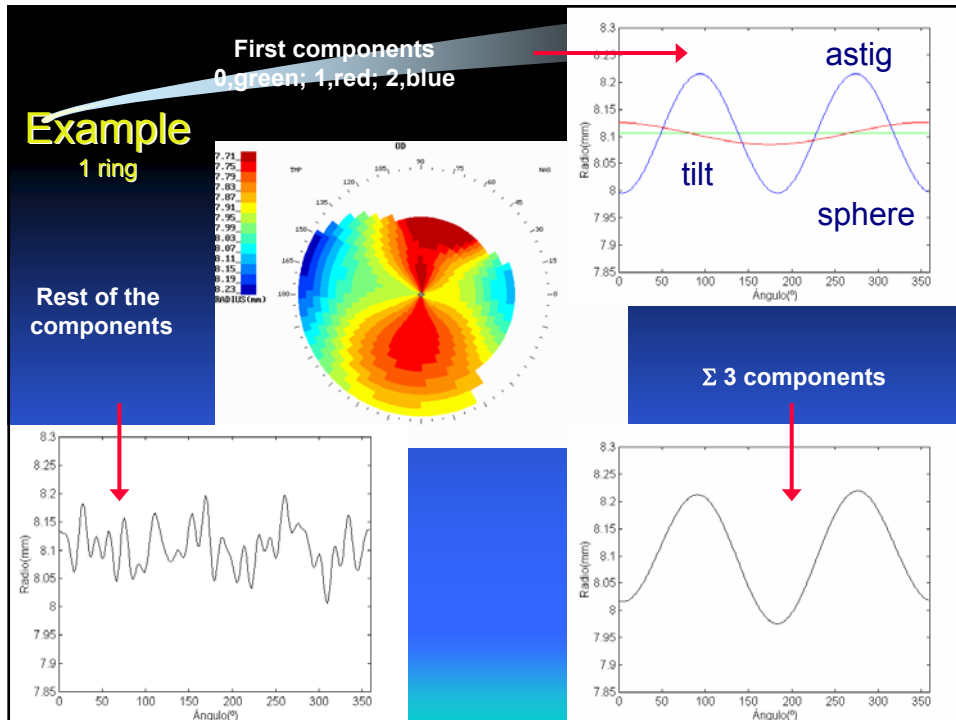
Data Matrix $M_{\rho}(R_{\phi})$

FT

Data Matrix $MF_{\rho}(f_{\phi})$

Frequency filtering FT-1

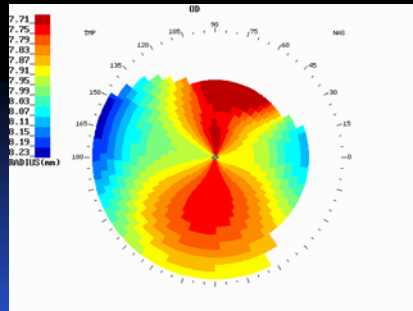
Data Matrix rebuilt $M_{\rho}(R_{\phi})$



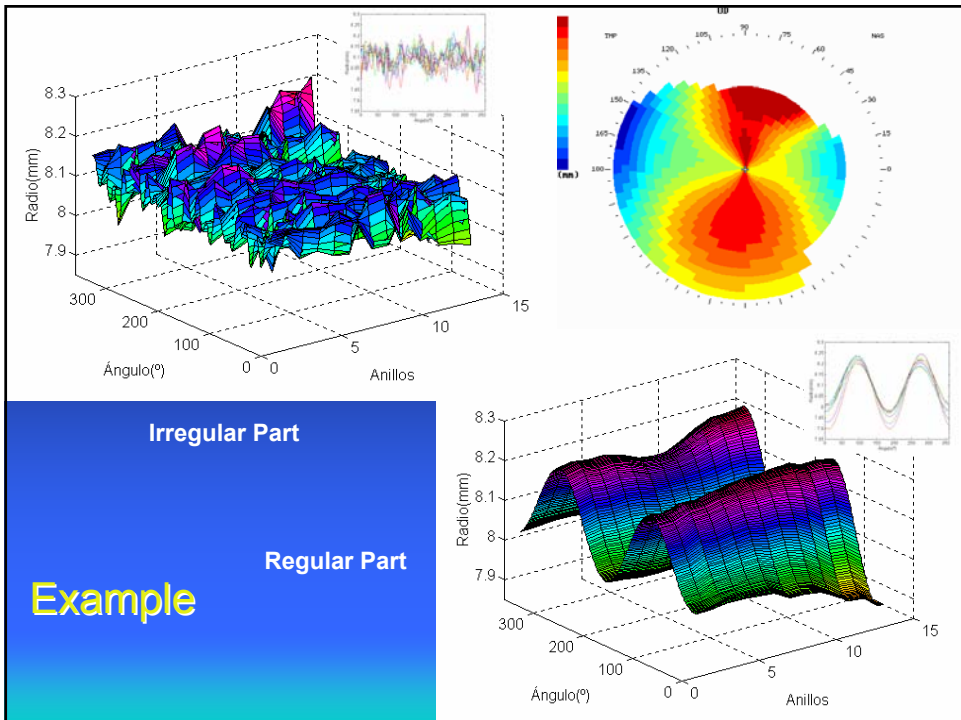
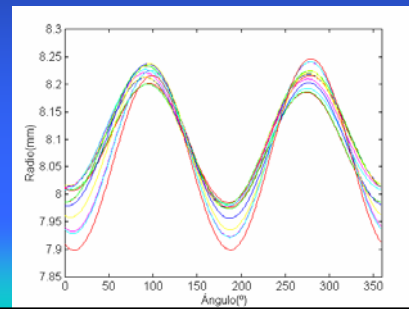
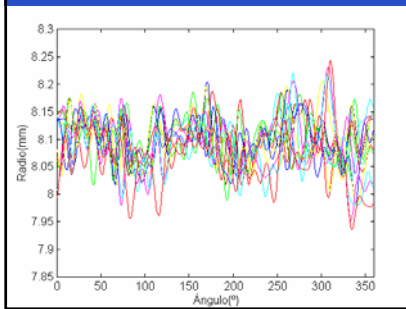
Example

Calculation for all topographic rings

Rest of the components



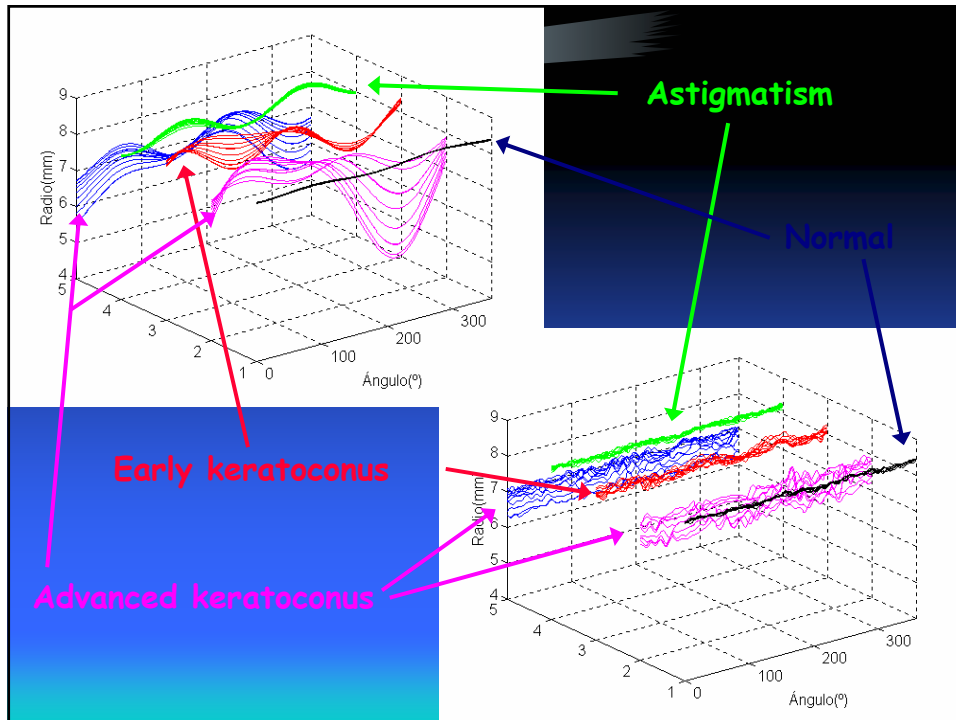
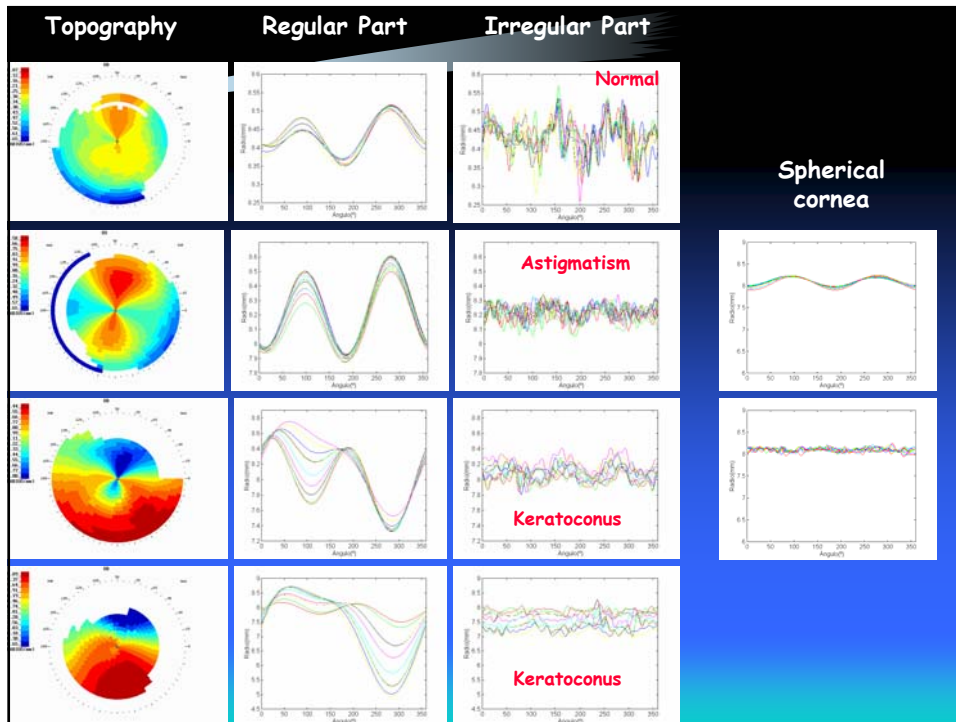
Σ 3 components



Irregular Part

Regular Part

Example



Conclusions

We can divide topographic information between regular and irregular parts

We can quantify the corneal irregularity by means two parameters, defined from the regular and irregular parts.

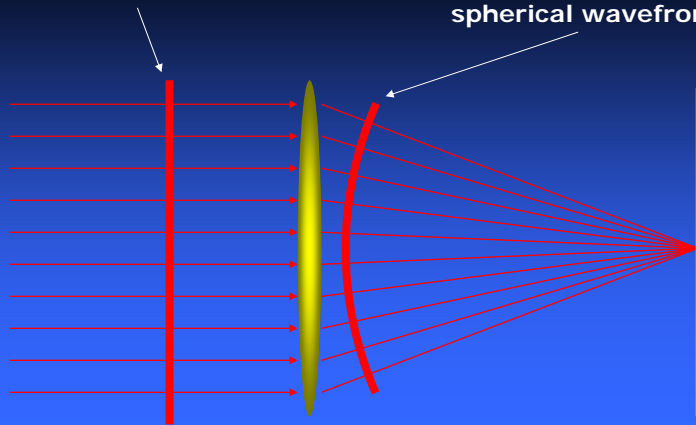
3.- Wavefront

We will describe the wavefront. This is the one of the most fundamental and useful description of the optical properties of the eye, from which most of the image quality metrics can be derived.

What is the Wavefront?

parallel beam
=
plane wavefront

converging beam
=
spherical wavefront

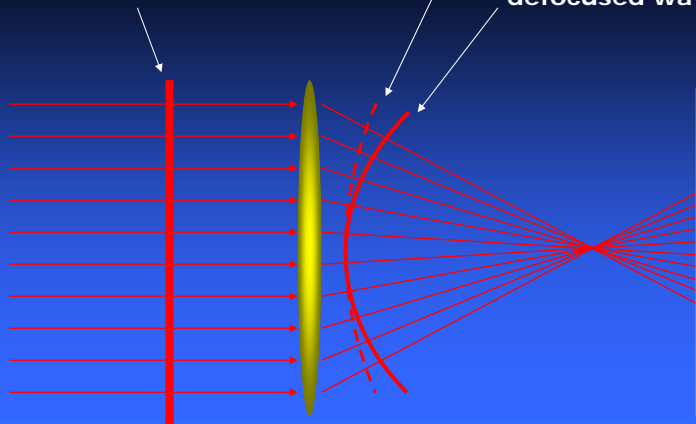


What is the Wavefront?

parallel beam
=
plane wavefront

ideal wavefront

defocused wavefront

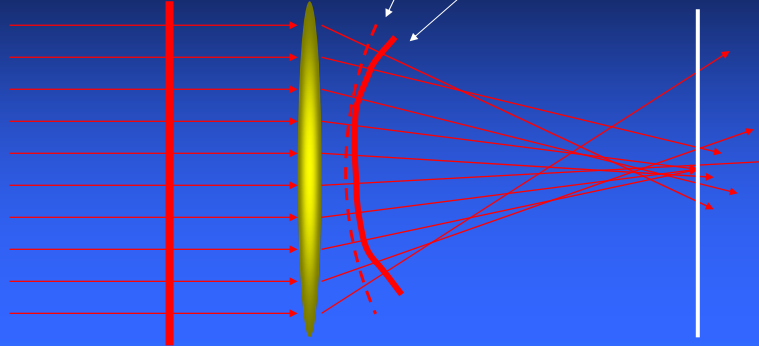


What is the Wavefront?

parallel beam
= plane wavefront

ideal wavefront

aberrated beam
= irregular wavefront

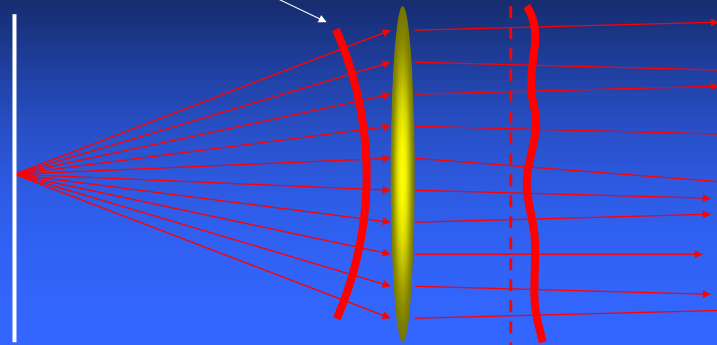


What is the Wavefront?

diverging beam
= spherical wavefront

aberrated beam
= irregular wavefront

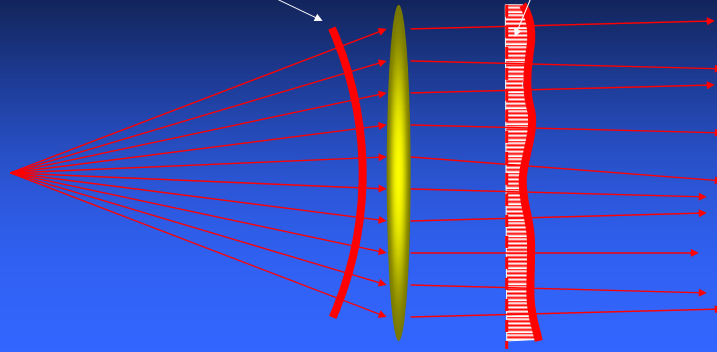
ideal wavefront



What is the *Wave Aberration*?

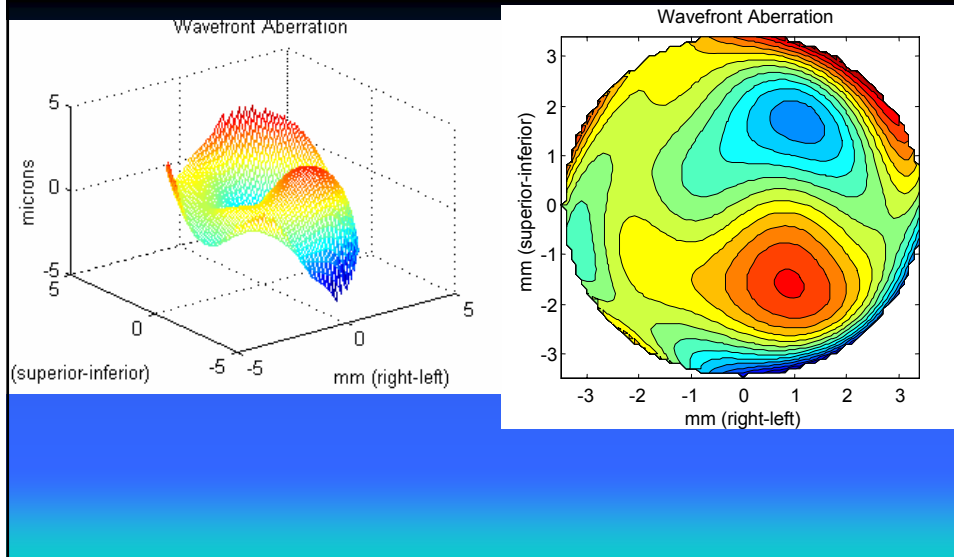
diverging beam
=
spherical wavefront

wave aberration



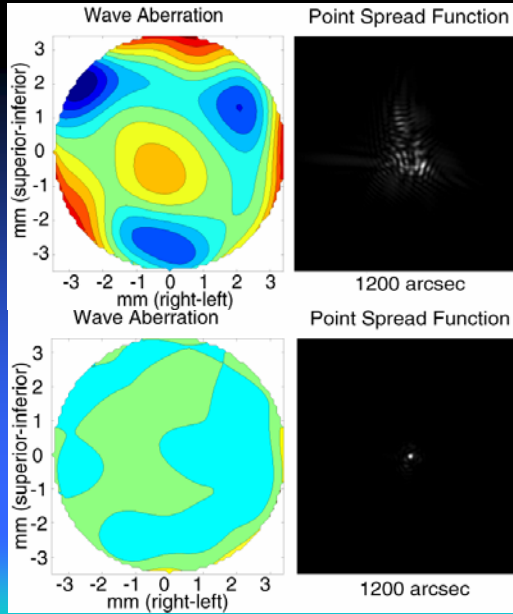
Wave aberration is a measure of the difference between the ideal wavefront and the actual wavefront. You are able to choose whatever ideal wavefront you want, but you commonly choose the ideal wavefront as one that would focus the light to the image plane

Wave Aberration of a Surface



Adaptive Optics Flattens the Wave Aberration

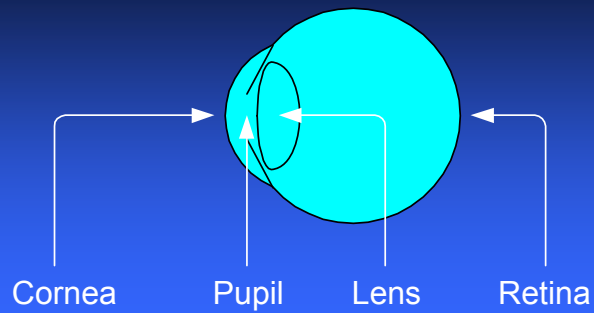
AO OFF



AO ON

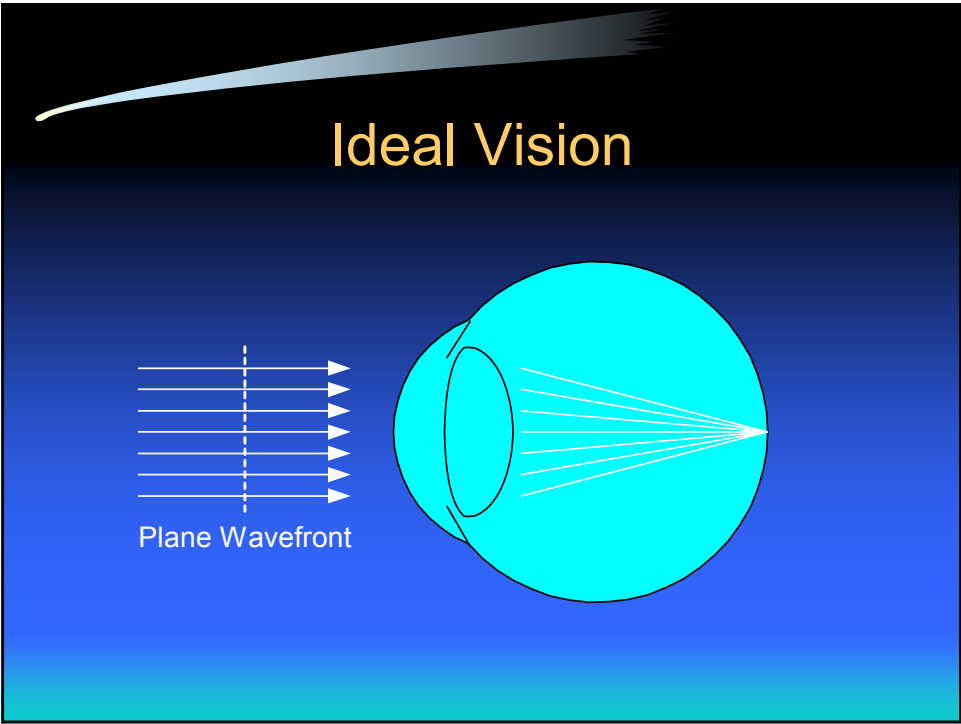
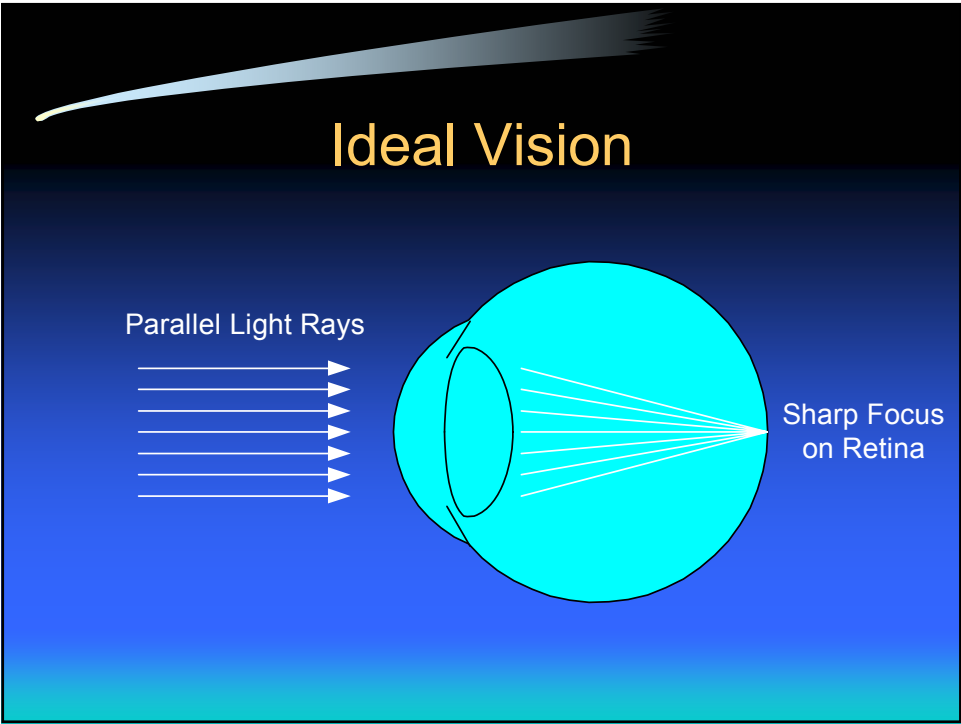
4.- Wavefront Sensing

Optical Anatomy of the Eye



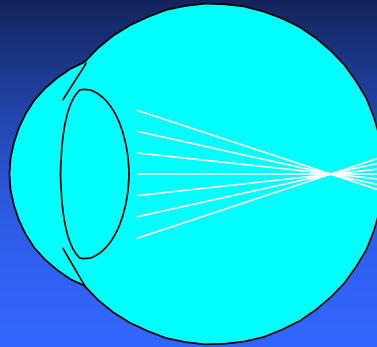
Wavefront Sensing Clinical Utility

- Measures integrated function of optical system
- Allows accurate calculation of effective clinical prescription
- Also provides details of higher order aberrations
- Quick measurement easily made in clinical setting



Simple Near-Sightedness (myopia)

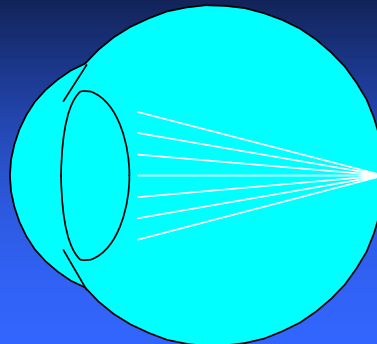
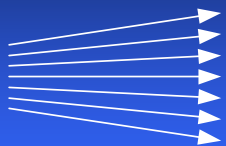
Parallel Light Rays



Focus in
Front of
Retina

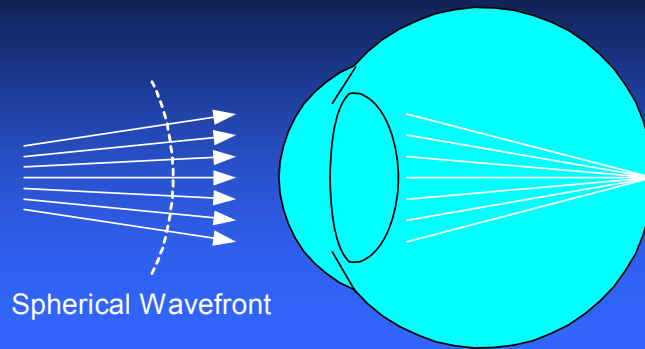
Simple Near-Sightedness (myopia)

Diverging Light Rays

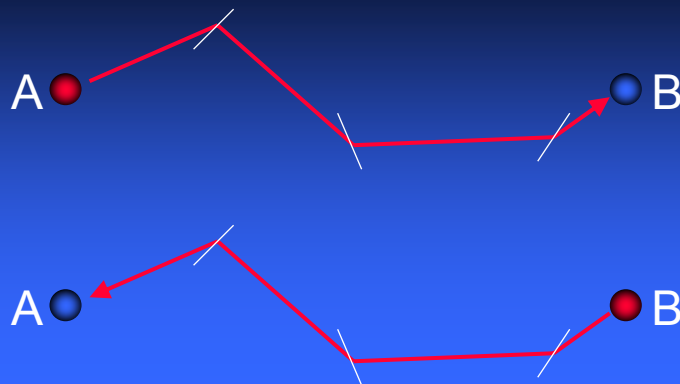


Sharp Focus
on Retina

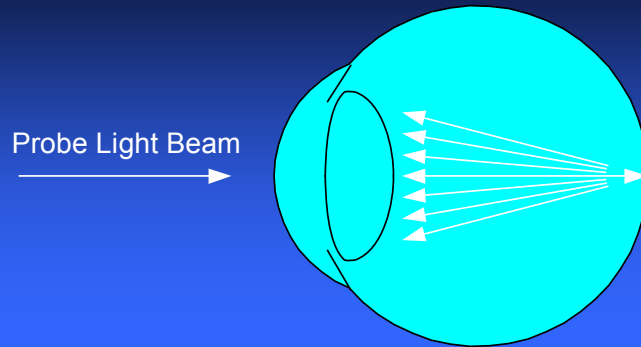
Simple Near-Sightedness (myopia)



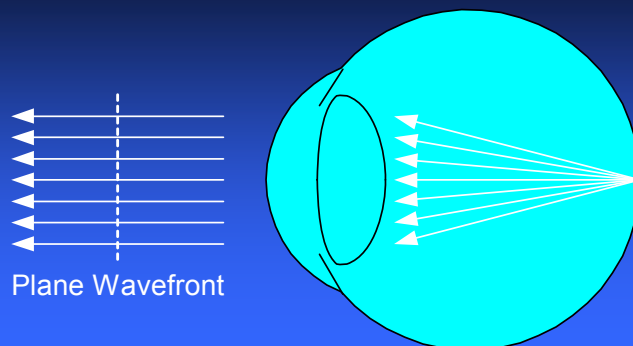
The Reversible Nature of Light Propagation



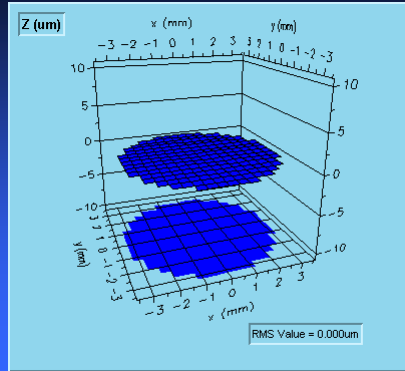
Wavefront Sensing: Turn the Rays Around!



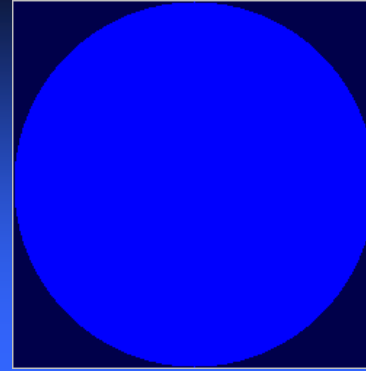
Re-Emitted Wavefront for an Ideal Eye



Wavefront Displays for Ideal Vision

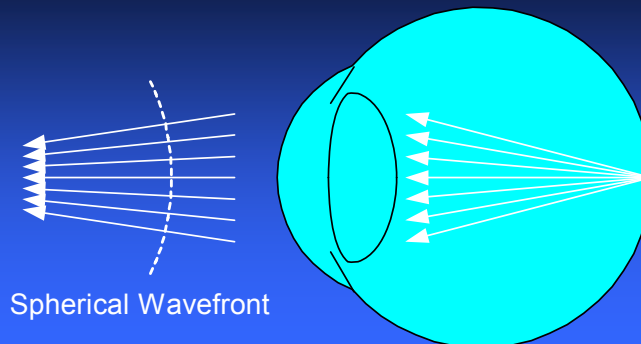


3-D Representation

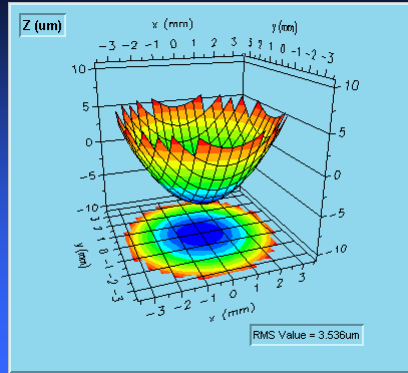


2-D Color Map

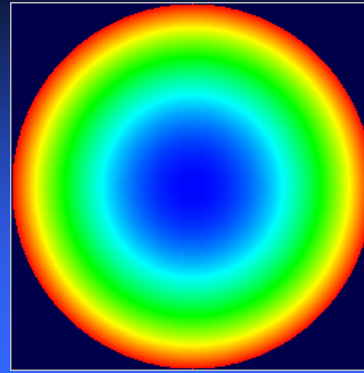
Re-Emitted Wavefront for an Near-Sighted Eye (myopic)



Wavefront Displays for Near-Sightedness



3-D Representation



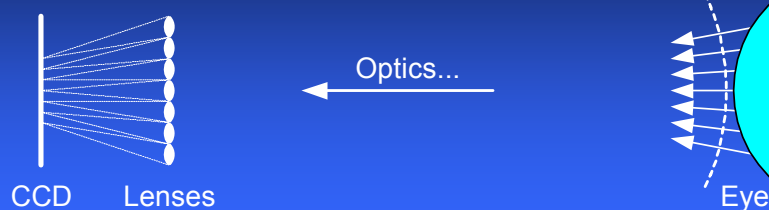
2-D Color Map

How do We Make the
Wavefront Measurement?
Wavefront sensors

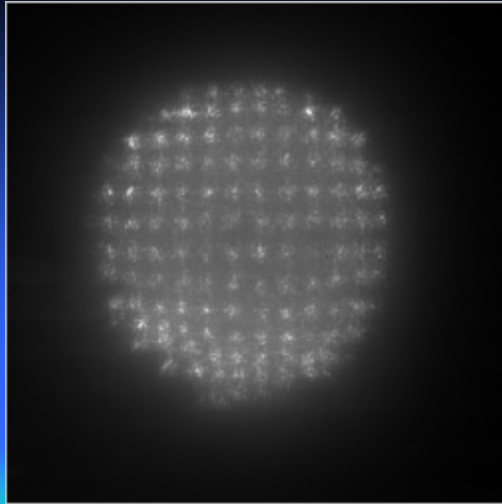
Usually use ray-tracing methods to reconstruct the wavefront and are classified into the following 3 types:

- Outgoing wavefront aberrometry
(Hartmann-Shack)
- Ingoing retinal imaging aberrometry
(cross cylinder, Tscherning aberroscope)
- Ingoing feedback aberrometer
(spatially resolved refractometer, optical path difference)

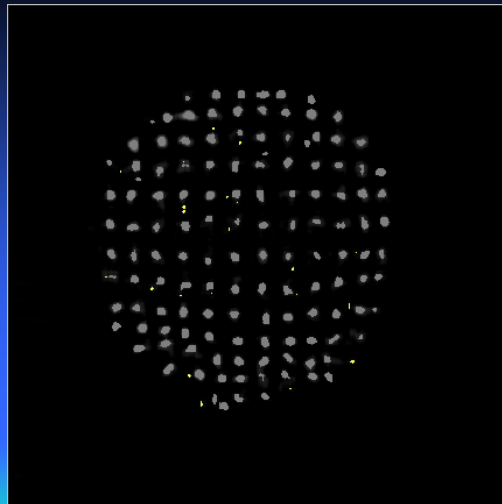
The Wavefront Sensing Path



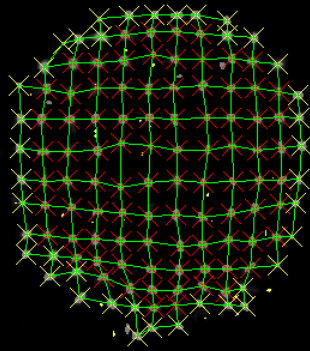
Direct CCD Image



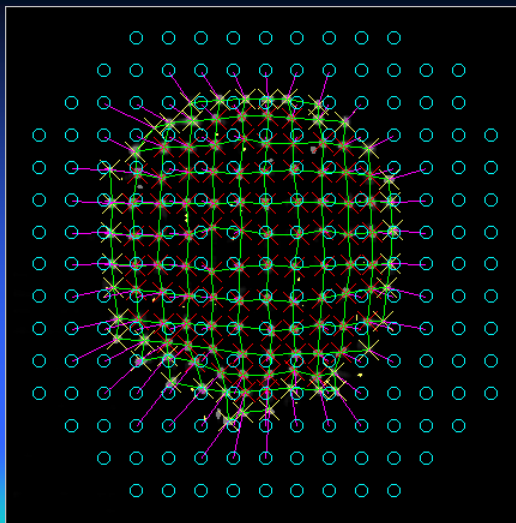
Enhanced CCD Image



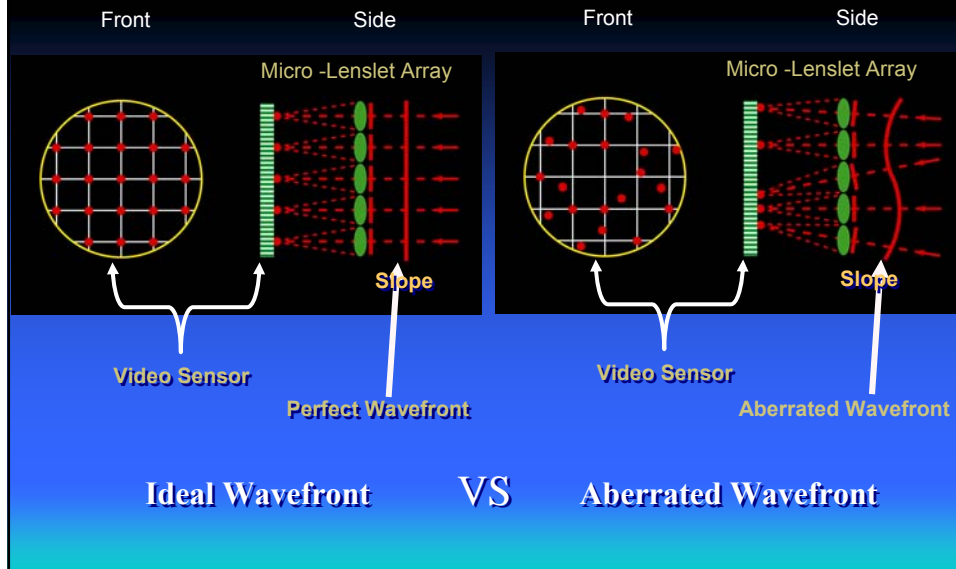
Focussed Spot Associations



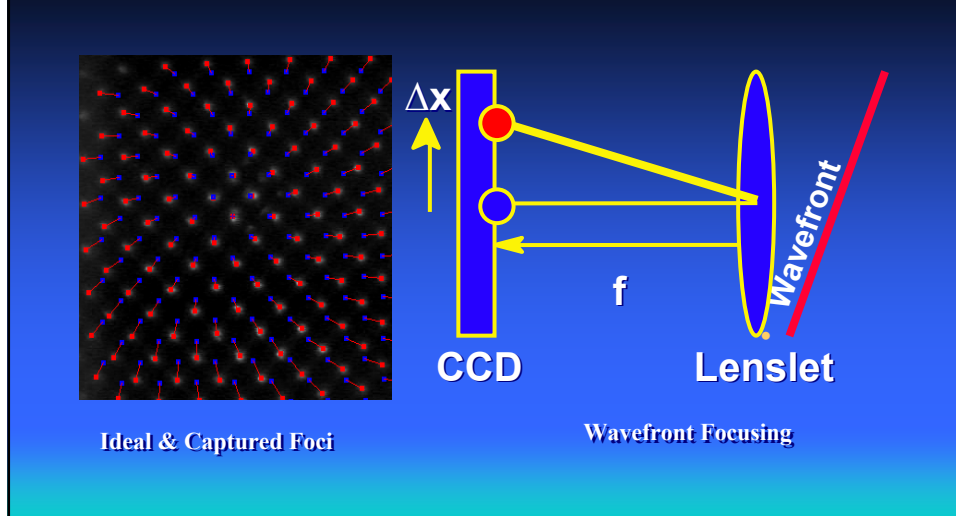
Comparison to Ideal Pattern

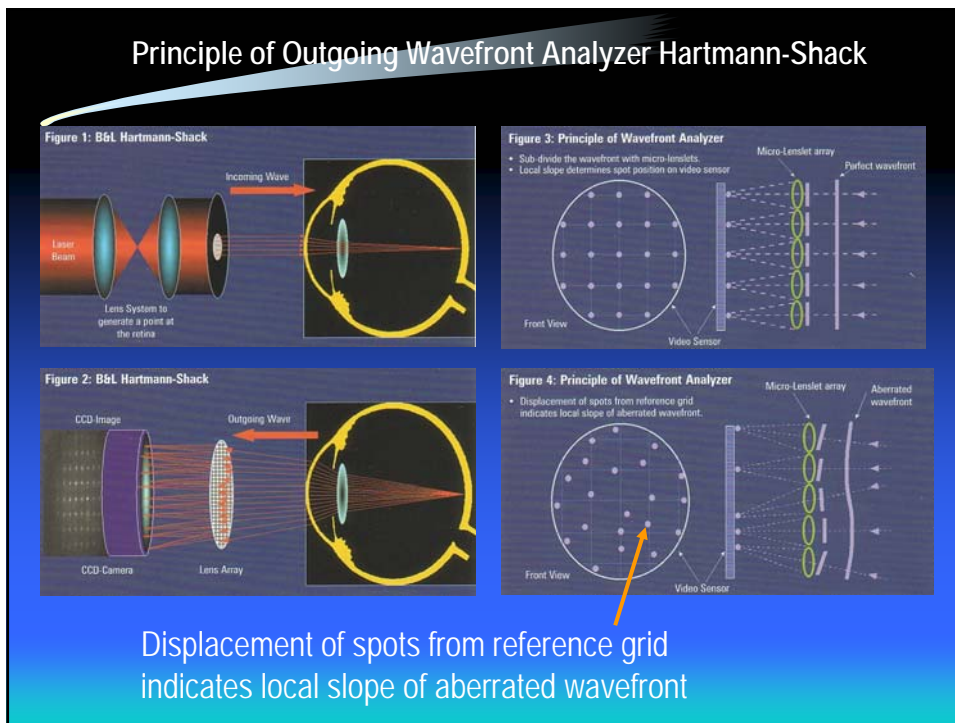
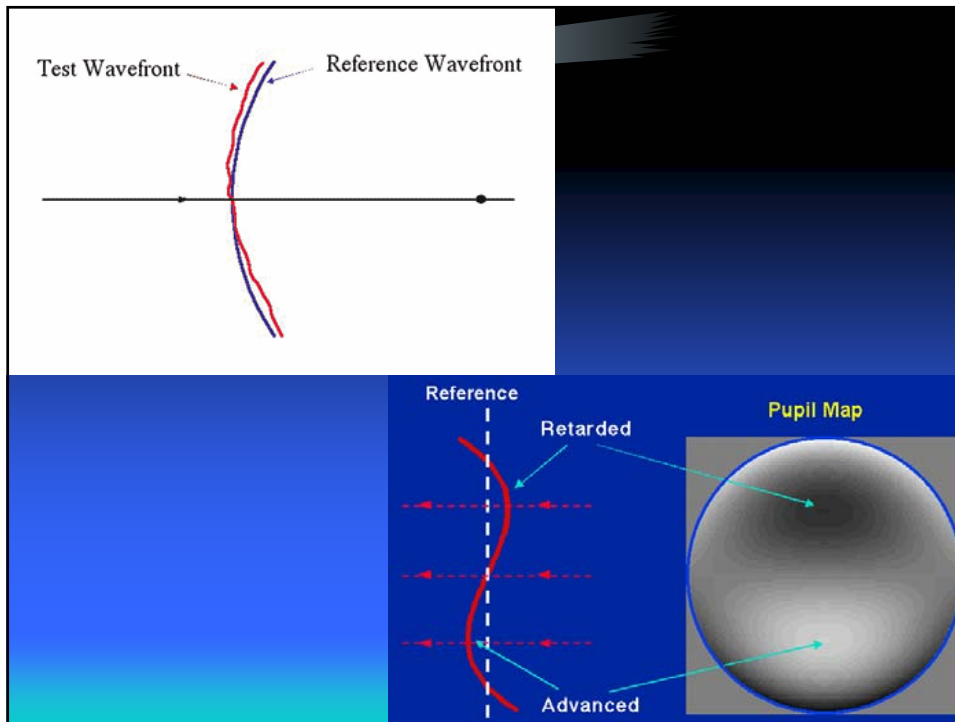


What Are We Comparing With Our System?

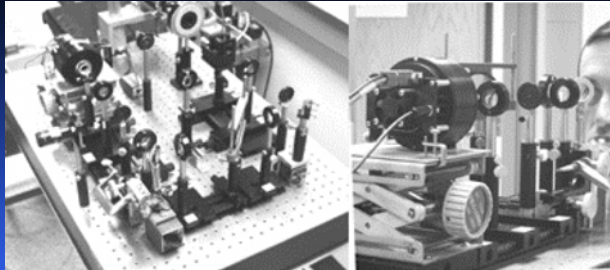


How Do Shack-Hartmann Systems Measure Aberrations?





Wavefront Analyzer Hartmann-Shack



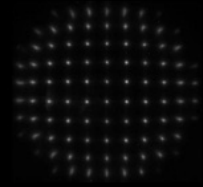
Montaje laboratorio en banco de óptica



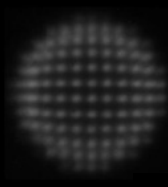
Comercial

Examples of spots position in a Hartmann-Shack

Emmetropic Model Eye

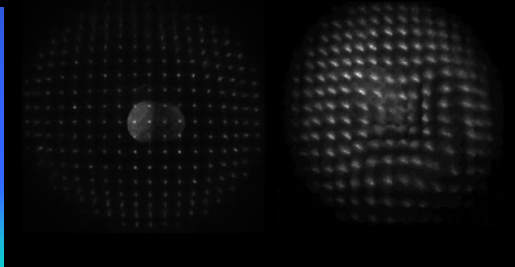
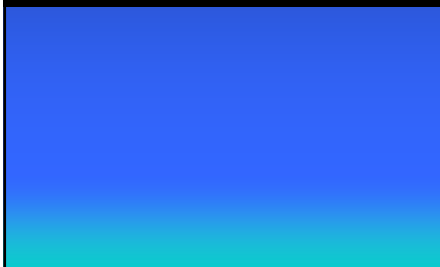


4D Myopic Model Eye



LASIK

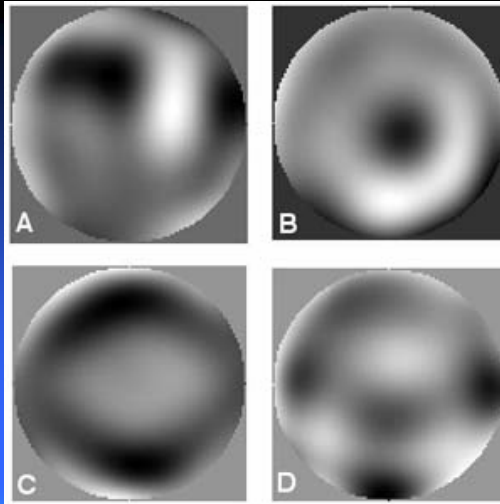
Keratoconus



Wavefront shape

Dry eye

Keratoconus



A

B

C

D

Myopic-LASIK

Cataract

Examples of higher-order aberration maps from eyes with four different clinical conditions.

Zernike orders 0-2 omitted for clarity.

5.- Zernike polynomials

Introducción

- ▶ La aproximación más familiar para cuantificar las **aberraciones ópticas es la de Seidel**, definida para sistemas rotacionalmente simétricos
- ▶ Cuando describimos las aberraciones oculares, Seidel no se utiliza ya que la óptica del ojo no es totalmente simétrica
- ▶ Los **polinomios de Taylor** también han sido utilizados para describir las aberraciones del ojo
- ▶ Recientemente se han utilizado los **polinomios de Zernike** debido a sus propiedades matemáticas adecuadas para pupilas circulares

Introducción

- ▶ **Polinomios de Zernike**: consisten en un conjunto ortogonal de polinómios que presentan las aberraciones y además están relacionados con las aberraciones ópticas clásicas
- ▶ Parecen el **método más deseable para estimaciones precisas del error de frente de onda**, debido a sus propiedades de ortogonalidad (independencia de los términos entre sí) y pueden ajustarse por el método de mínimos cuadrados, que es lineal en parámetros

Introducción: Topografía

- ▶ Los topógrafos miden la elevación corneal sólo en un número discreto de puntos y los polinómios de Zernike no son ortogonales sobre un conjunto discreto de puntos
- ▶ La **técnica de ortogonalización de Gram-Smith** permite expandir el conjunto discreto de datos de elevación corneal, en términos de polinómios de Zernike y conseguir las ventajas de una expansión ortogonal. Una vez completada la expansión, las funciones ortogonales se transforman en términos de polinómios de Zernike, resultando un conjunto único de coeficientes de Zernike

Definición y notaciones

Los polinómios de Zernike son un conjunto infinito de funciones polinómicas, ortogonales en el círculo de radio unidad.

Son **muy útiles** para representar la forma del frente de onda en sistemas ópticos. Su uso está muy extendido y son muy comunes distintas notaciones, normalizaciones y criterios en la asignación de signos.

Los **polinomios de Zernike** pueden expresarse en coordenadas polares, siendo ρ la coordenada radial (intervalo de variación $[0, 1]$) y θ la componente azimutal (intervalo de variación es $[0, 2\pi]$)

Distinguimos tres componentes

- el factor de normalización (N),
- la dependencia radial
- y la dependencia azimutal.

$$Z_n^{\pm m}(\rho, \theta) = \begin{cases} N_n^{\pm m} R_n^{|m|}(\rho) \cos m\theta & \text{for } m \geq 0 \\ -N_n^{\pm m} R_n^{|m|}(\rho) \sin m\theta & \text{for } m < 0 \end{cases}$$

La dependencia radial es polinómica y la azimutal es armónica.

$$N_n^m = \sqrt{\frac{2(n+1)}{1 + \delta_{m0}}}$$

$$R_n^{|m|}(\rho) = \sum_{s=0}^{(n-|m|)/2} \frac{(-1)^s (n-s)!}{s! [0.5(n+|m|)-s]! [0.5(n-|m|)-s]!} \rho^{n-2s}$$

Se identifica al polinomio con dos índices "n" y "m", donde "n" indica la potencia más alta (orden) en la componente polinómica radial y "m" es la frecuencia azimutal en la componente armónica

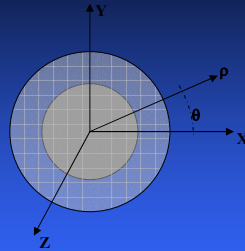
Representación de las aberraciones.

La función aberración de onda $W(\rho, \theta)$ puede expresarse como **combinación lineal de los polinomios de Zernike**:

$$W = \sum_{j=1 \dots N} C_j Z_j$$

donde C_j son los Coeficientes de Zernike que se expresan en micras y miden el valor de las distintas aberraciones presentes en el sistema.

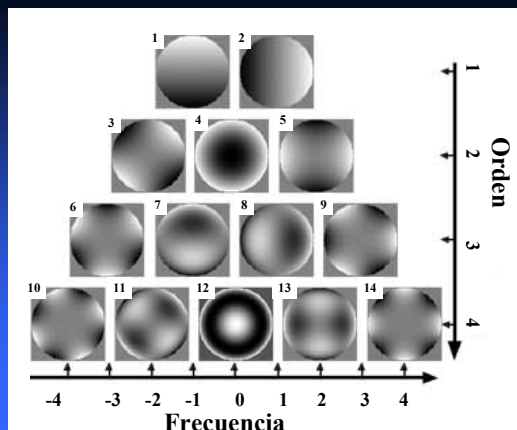
Para describir las aberraciones oculares se toma como **sistema de referencia un triedro a derechas** con origen en la pupila de entrada del ojo, el semieje positivo Y apuntando hacia arriba, el X apuntando hacia la izquierda del sujeto y Z apuntando en dirección emergente al ojo.



Sistema de referencia para la descripción de la aberración ocular en función de los polinomios de Zernike. Se muestra vista frontal del ojo. Los semiejes positivos se toman de la misma manera en ambos ojos.

Al usar coordenadas polares θ se mide respecto del semieje positivo X y ρ es la distancia respecto del origen medida en unidades normalizadas al radio pupilar

La siguiente figura muestra la forma del frente de onda representado por cada polinomio de Zernike, la aberración total se expresa como combinación lineal de esos patrones característicos



Visualización los 14 primeros polinomios de Zernike en escala de grises (color claro para adelanto de fase y oscuro para retraso). Cada patrón se identifica con su índice j , cada fila corresponde a un orden n y cada columna a una frecuencia m .

Las **aberraciones de bajo orden** vienen representadas por los polinomios de ordenes $n = 0, 1$ y 2 .

Para $n = 0$ tenemos un único polinomio de valor constante unidad y para $n = 1$ encontramos dos polinomios denominados "**tilts**"
Éstos representan traslaciones y rotaciones del sistema de referencia

Las **aberraciones de 2º orden** están descritas por los 3 polinomios de Zernike correspondientes a $n = 2$. Estos polinomios representan el desenfoque ($j=4$) y astigmatismo ($j=3$ y 5)

Las **aberraciones de alto orden** vienen representadas por los polinomios de Zernike de orden $n \geq 3$. Son de tercer orden el astigmatismo triangular ($j = 6$ y 9) así como el coma vertical y el coma horizontal ($j = 7$ y 8) mientras que la aberración esférica ($j=12$) es de cuarto orden.

Z_n^f
n: radial order
f: angular frequency

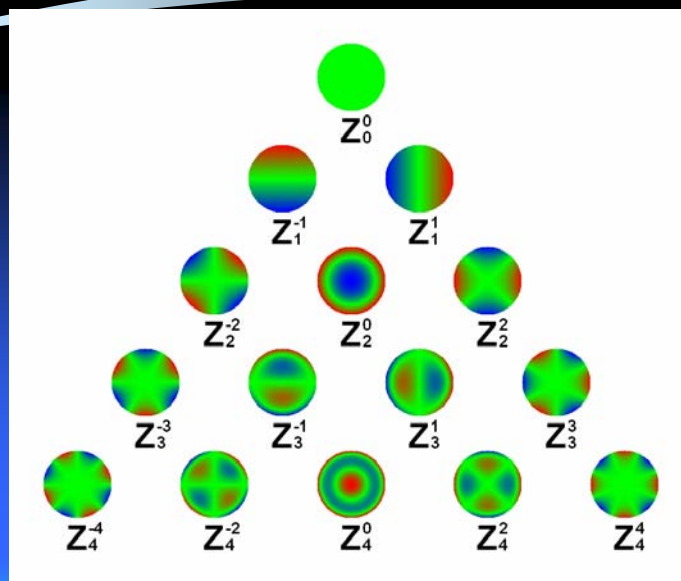
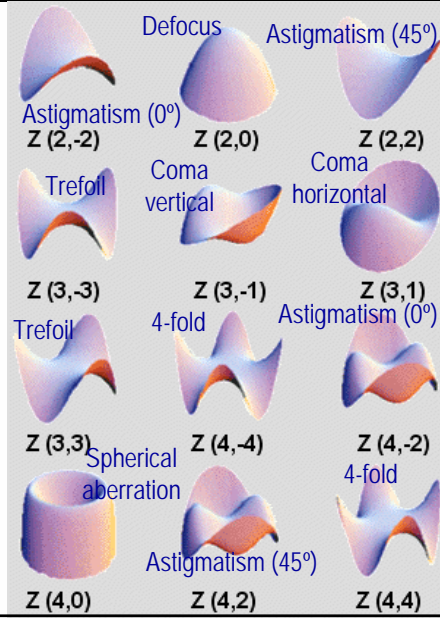
Zernike coefficient	Radial order	Angular frequency	Aberration
0	0	0	Piston
1	1	-1	Tip, Tilt (Prism)
2	1	1	
3	2	-2	Astigmatism
4	2	0	Defocus
5	2	2	Astigmatism
6	3	-3	Trefoil 3-fold
7	3	-1	Coma (vertical)
8	3	1	Coma (horizontal)
9	3	3	Trefoil 3-fold
10	4	-4	4-fold
11	4	-2	Astigmatism
12	4	0	Spherical Aberration
13	4	2	Astigmatism
14	4	4	4-fold
15	5	-5	5-fold
16	5	-3	3-fold
17	5	-1	Coma (vertical)
18	5	1	Coma (horizontal)
19	5	3	3-fold
20	5	5	5-fold
21	6	-6	6-fold
22	6	-4	4-fold
23	6	-2	Astigmatism
24	6	0	Spherical aberration
25	6	2	Astigmatism
26	6	4	4-fold
27	6	6	6-fold

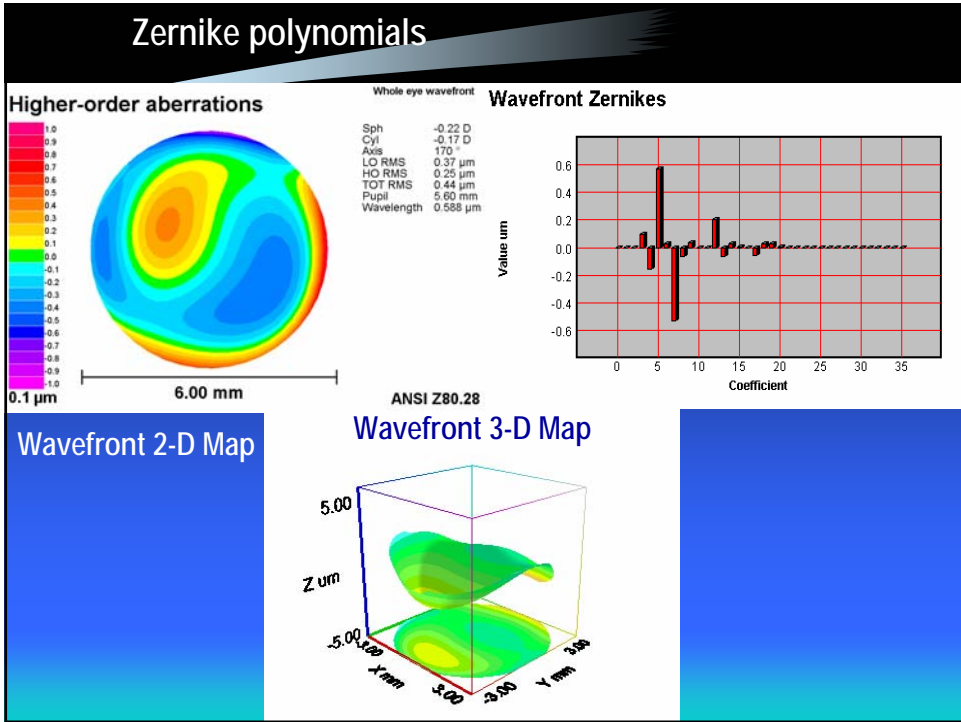
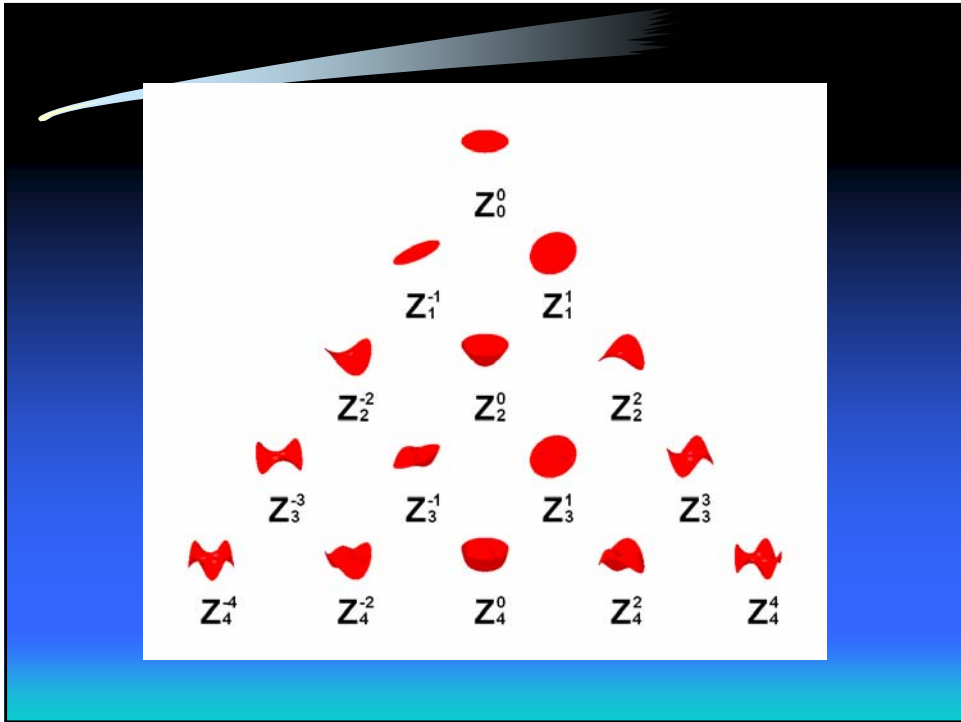
Listado de polinomios de Zernike hasta 6º orden, notación estándar de la CSA

Zernike polynomials

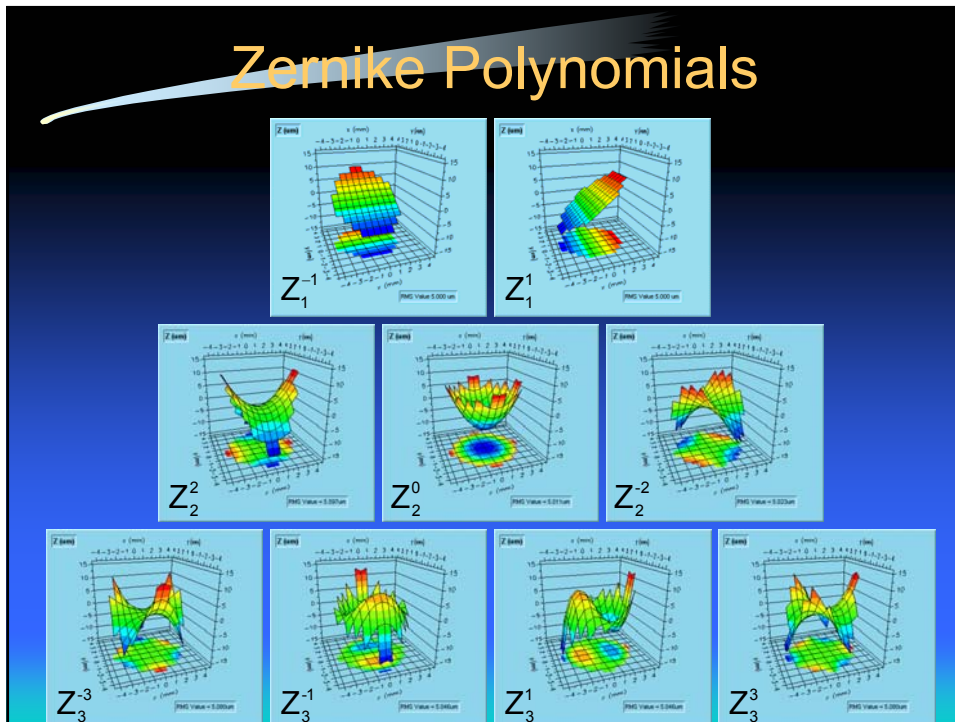
Z_n^f n: radial order
f: angular frequency

Zernike coefficient	Radial order	Angular frequency	Aberration
0	0	0	Piston
1	1	-1	Tip, Tilt (Prism)
2	1	1	
3	2	-2	Astigmatism
4	2	0	Defocus
5	2	2	Astigmatism
6	3	-3	Trefoil 3-fold
7	3	-1	Coma (vertical)
8	3	1	Coma (horizontal)
9	3	3	Trefoil 3-fold
10	4	-4	4-fold
11	4	-2	Astigmatism
12	4	0	Spherical Aberration
13	4	2	Astigmatism
14	4	4	4-fold
15	5	-5	5-fold
16	5	-3	3-fold
17	5	-1	Coma (vertical)
18	5	1	Coma (horizontal)
19	5	3	3-fold
20	5	5	5-fold
21	6	-6	6-fold
22	6	-4	4-fold
23	6	-2	Astigmatism
24	6	0	Spherical aberration
25	6	2	Astigmatism
26	6	4	4-fold
27	6	6	6-fold





Zernike Polynomials

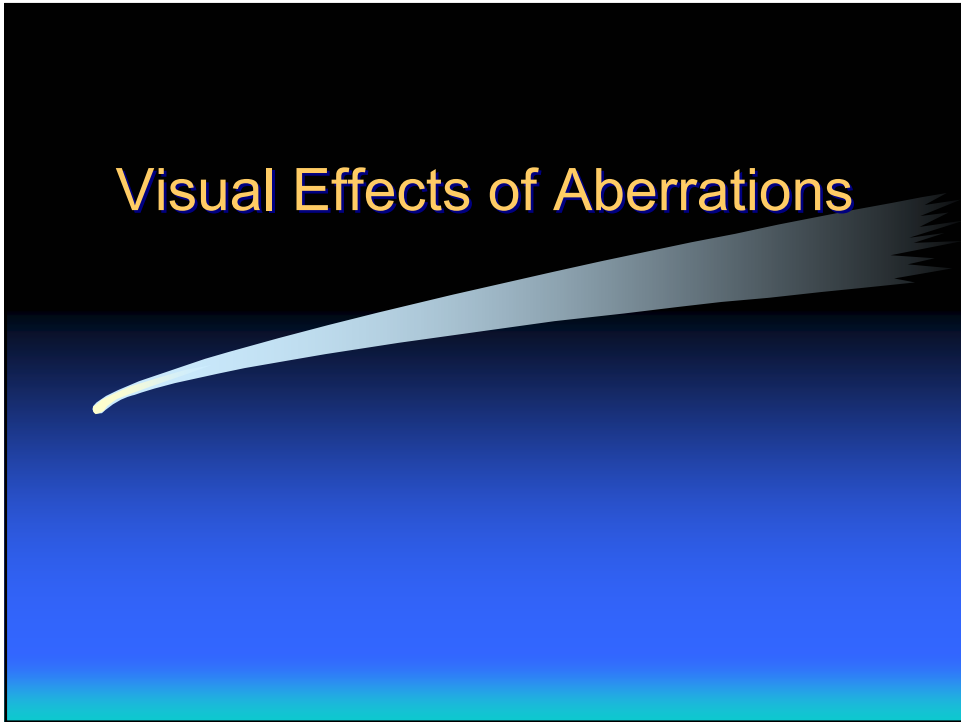


The Root-Mean-Square (RMS) Wavefront Error

The Root Mean Square Error (RMS) is a measure of the difference between the measured and ideal wavefronts.



Visual Effects of Aberrations

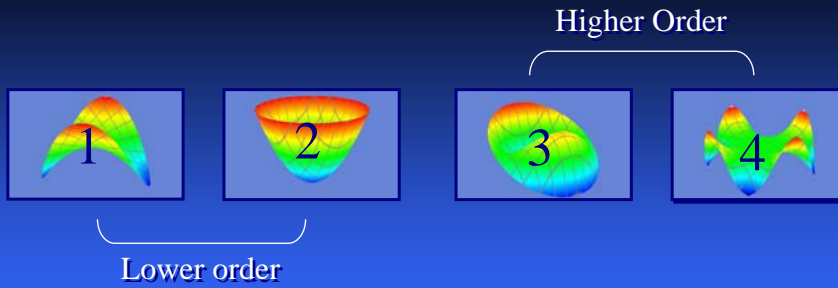


Visual Acuity Chart Image Used in Vision Simulation

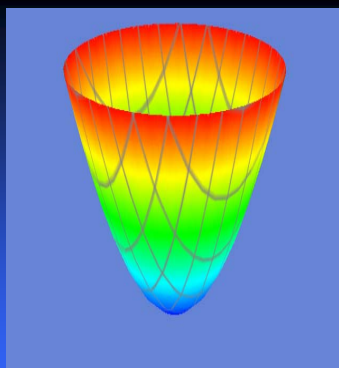


Reference Dot

What Are The Visual Effects of Under Correcting Aberrations?



Wavefront Error and Simulated Visual Function

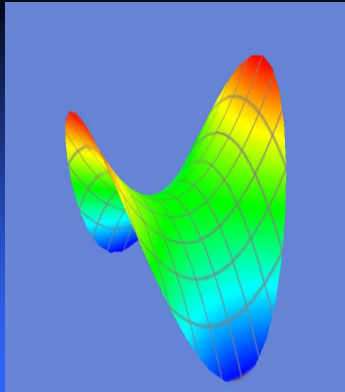


2nd Order Defocus



Simulated Chart Image

Wavefront Error and Simulated Visual Function

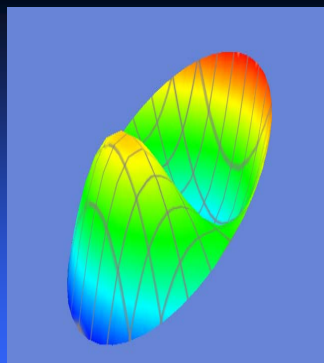


2nd Order
Mixed Astigmatism



Simulated Chart Image

Wavefront Error and Simulated Visual Function

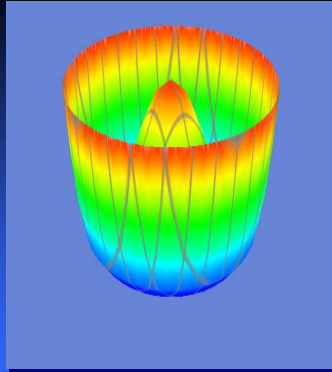


3rd Order Coma

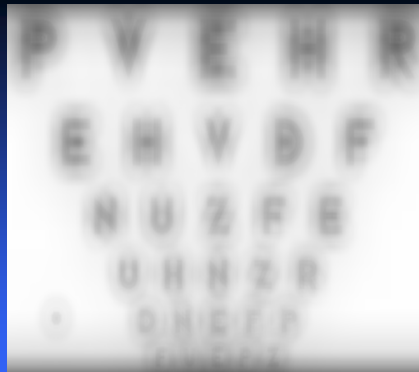


Simulated Chart Image

Wavefront Error and Simulated Visual Function

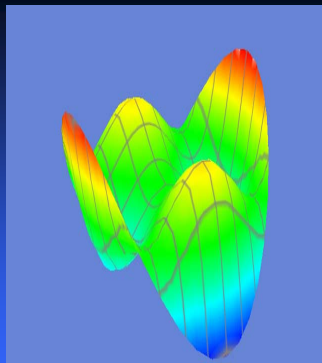


4th Order Spherical Aberration

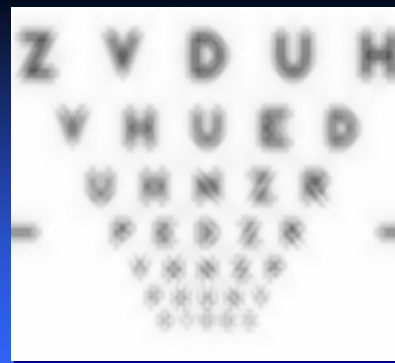


Simulated Chart Image

Wavefront Error and Simulated Visual Function

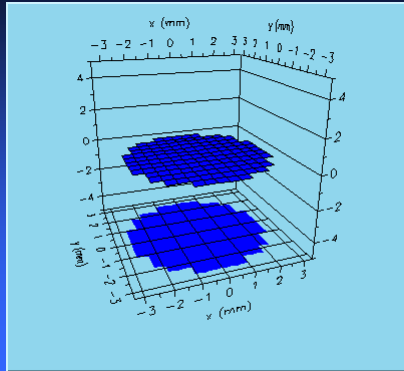


4th Order Secondary Astigmatism



Simulated Chart Image

Wavefront Error and Simulated Visual Function

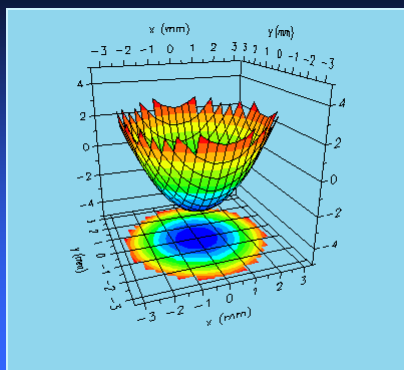


Flat Wavefront



Simulated Chart Image

Wavefront Error and Simulated Visual Function

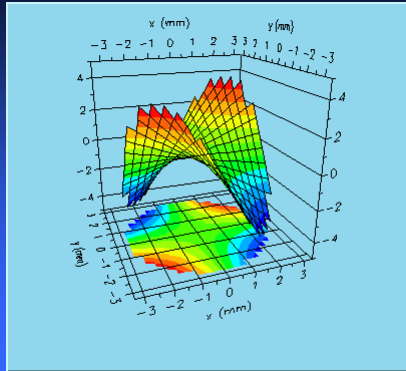


Defocus Error



Simulated Chart Image

Wavefront Error and Simulated Visual Function

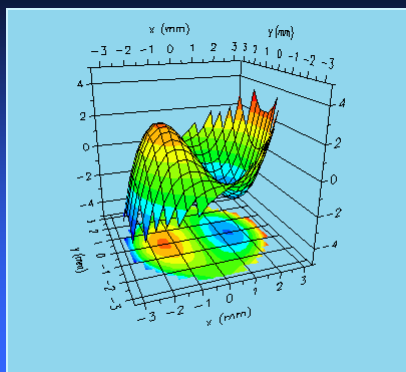


Mixed Astigmatism

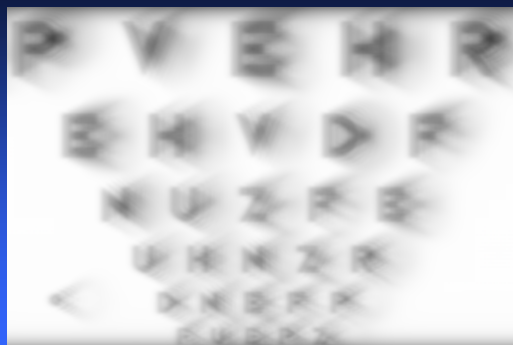


Simulated Chart Image

Wavefront Error and Simulated Visual Function

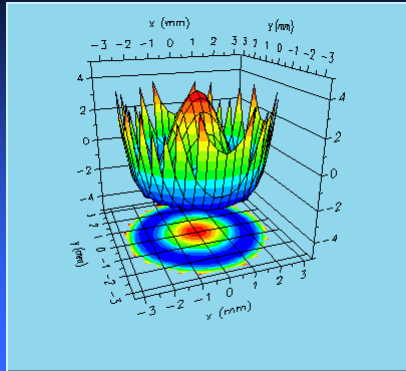


Coma

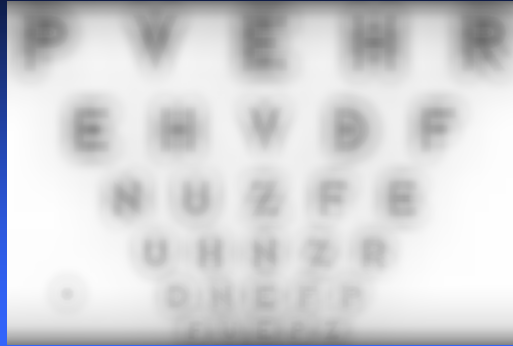


Simulated Chart Image

Wavefront Error and Simulated Visual Function



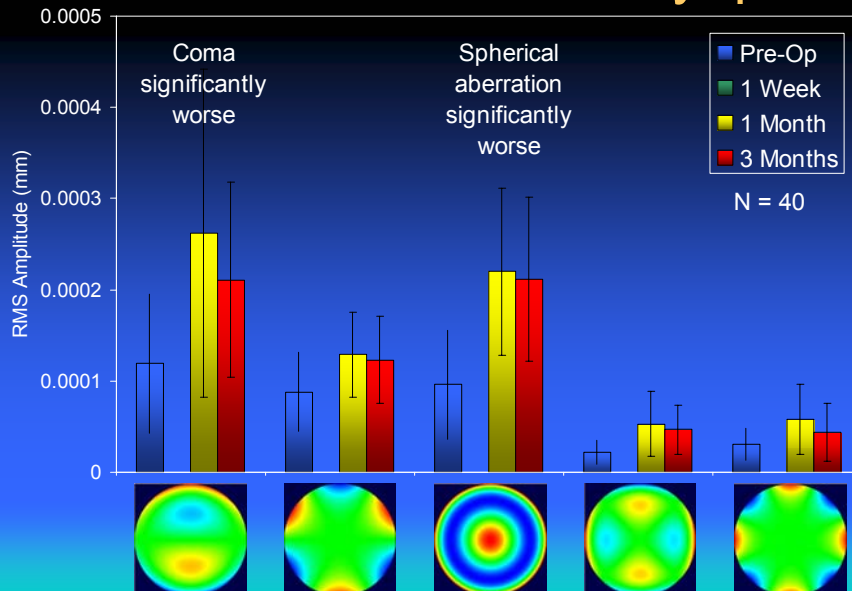
Spherical Aberration



Simulated Chart Image

**6.- How Does Wavefront Sensing
Relate to Refractive Surgery?**

Higher-Order Aberrations: Conventional LASIK Myopes



CustomCornea: Wavefront Guided Laser Surgery

Measured
Wavefront

CustomCornea: Wavefront Guided Laser Surgery

Desired
Wavefront

A diagram showing a cross-section of a cornea. A dashed white vertical line represents a spherical wavefront. A solid orange curve represents the actual wavefront, which is slightly irregular. The background is a blue gradient, darker at the top and lighter at the bottom.

CustomCornea: Wavefront Guided Laser Surgery

Desired
Wavefront

A diagram showing a cross-section of a cornea. A dashed white vertical line represents a spherical wavefront. A solid orange curve represents the actual wavefront, which is discretized into horizontal segments. The background is a blue gradient, darker at the top and lighter at the bottom.

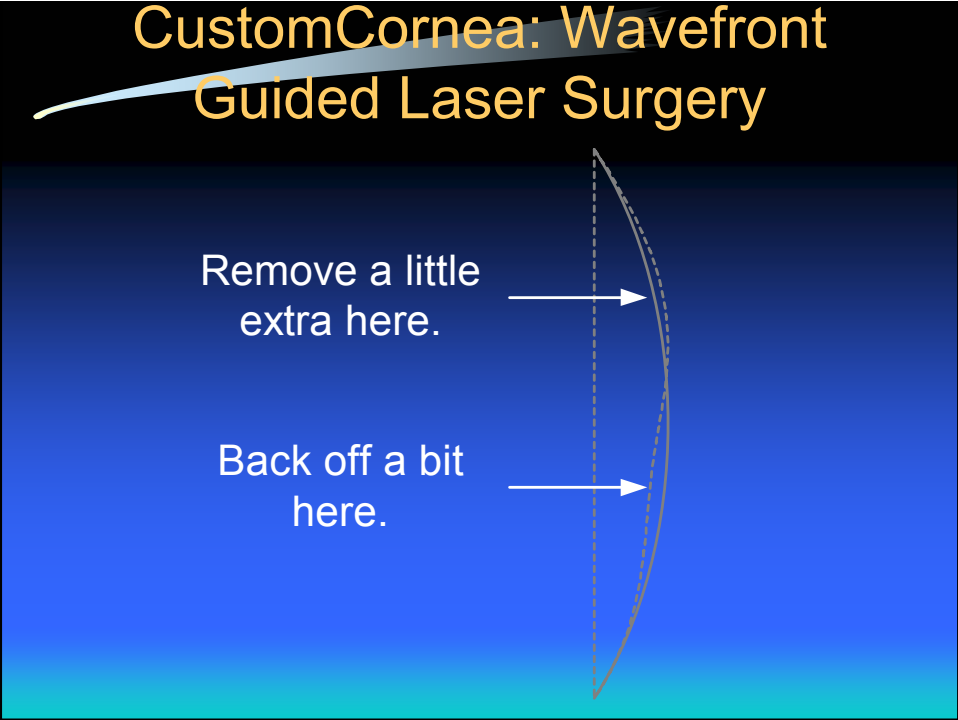
CustomCornea: Wavefront Guided Laser Surgery

Conventional
Treatment

A diagram showing a cross-section of a cornea. A dashed vertical line represents the intended laser treatment zone. The actual laser treatment is shown as a solid white line that is slightly curved, deviating from the dashed line. The background is a blue gradient.

CustomCornea: Wavefront Guided Laser Surgery

Remove a little
extra here.

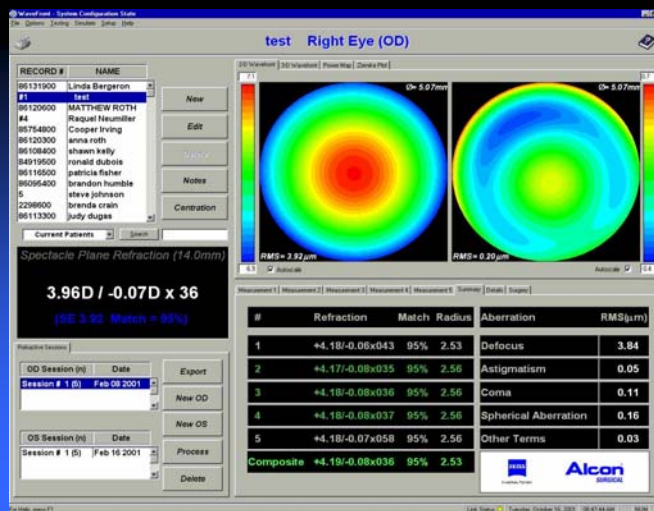
A diagram showing a cross-section of a cornea. A dashed vertical line represents the intended laser treatment zone. The actual laser treatment is shown as a solid white line that is curved to match the cornea's wavefront. Two white arrows point to specific areas of the curve: one points to a point where the solid line is further from the dashed line than the dashed line itself, and the other points to a point where the solid line is closer to the dashed line than the dashed line itself. The background is a blue gradient.

Back off a bit
here.

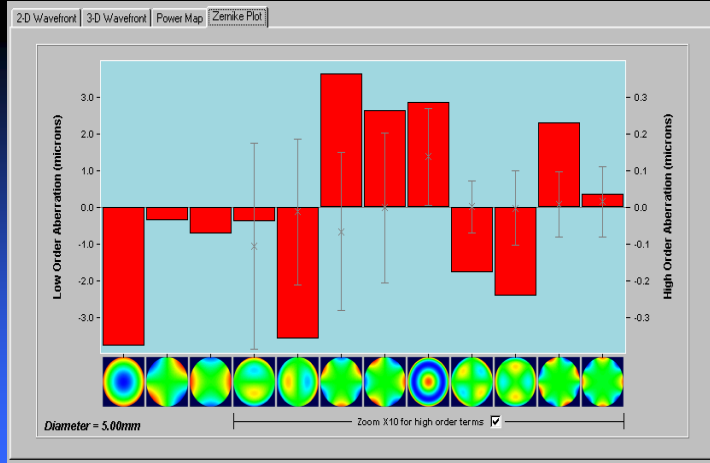
Wavefront-Guided Myopic Results



REFRACTION

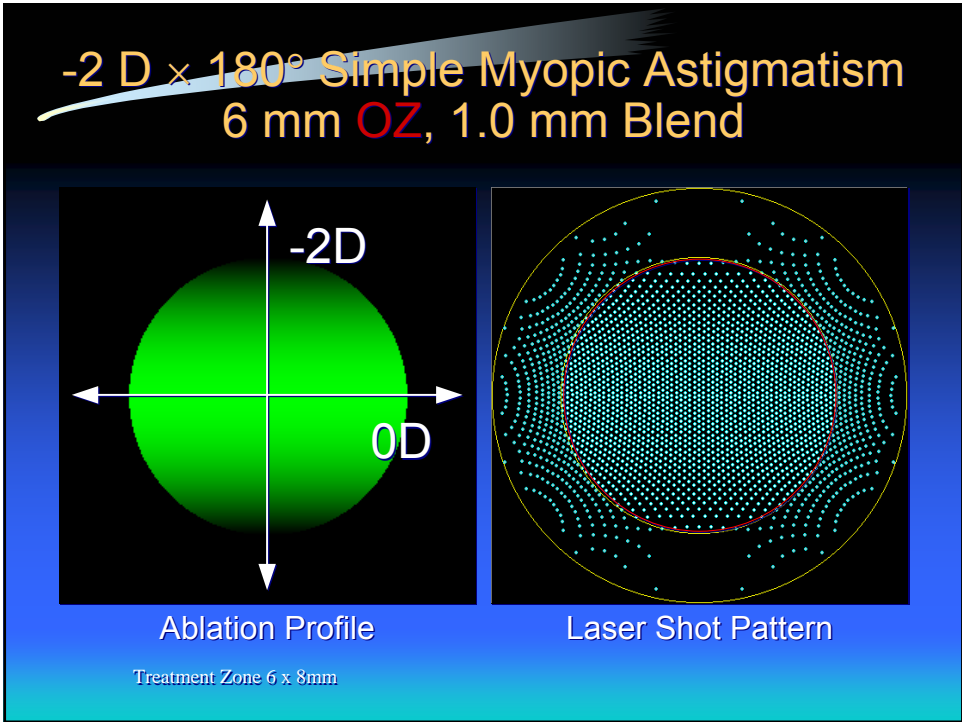
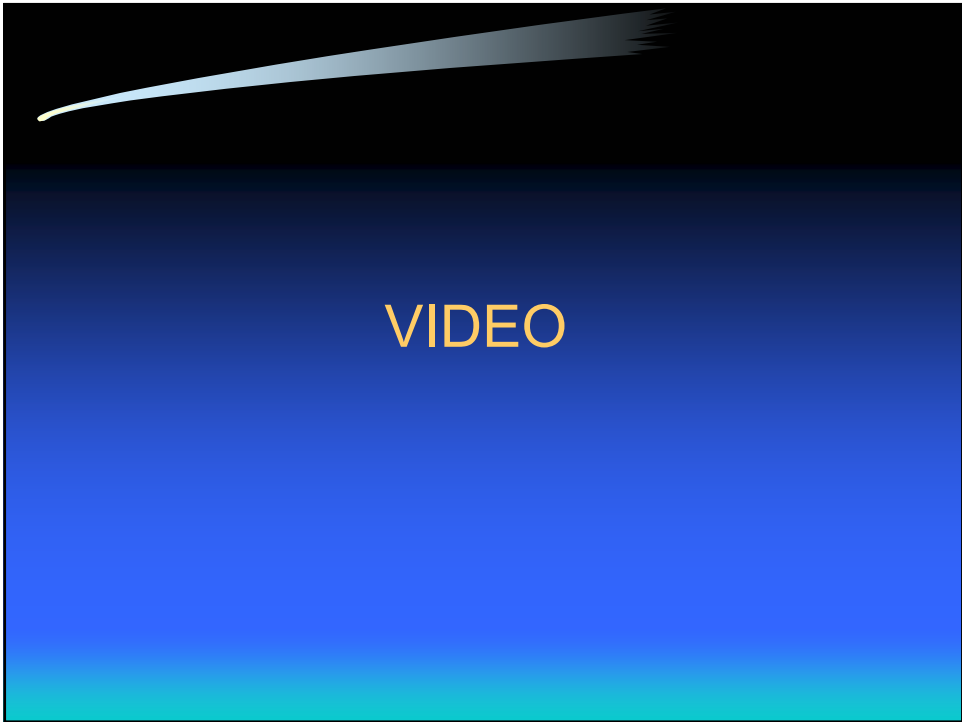


ZERNIKE DATA

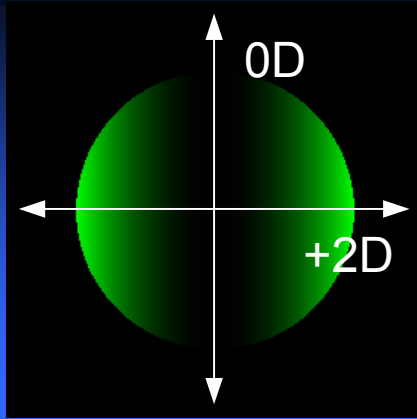


TREATMENT

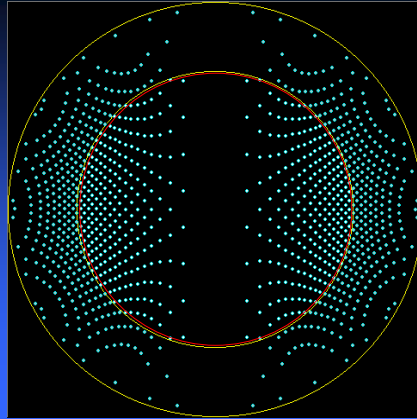
The screenshot shows a software interface titled 'test patient LEFT EYE (05) - Software Development Mode'. It features a 'STOP ABORT PROCEDURE' button and a 'Press Ablate When Ready' instruction. The interface is split into two main viewing areas: 'Untracked Image' on the left and 'Tracked Image' on the right. The 'Tracked Image' shows a laser spot on the eye with a grid overlay and a 'No Card Present' warning. A data box on the right lists parameters: X: 0.28, Y: -0.98, A: 17.5, D: 7.50, X: 0.12, Y: -0.96, and 12.7x12.2. Below the images is a 'System Control' panel with a progress indicator at 0%, 'ABLATED' and 'TRACK' buttons, and sliders for 'Tracker Signal Strength (V)' (Rx: 2.40, Tx: 3.00), 'Pulse Rate (Hz)' (0), and 'Excimer Energy (mJ)' (0.00). A status bar at the bottom shows system controls like 'Internet', 'Instrumentation', 'Suction', 'Shutter', 'Temperature 20.0 C', and the date/time: 'Fri, February 02, 01 10:59:14 AM'.



+2D, -2 D × 180°, Simple Hyperopic
Astigmatism, 6.5 mm OZ, 1.25 mm
Blend



Ablation Profile

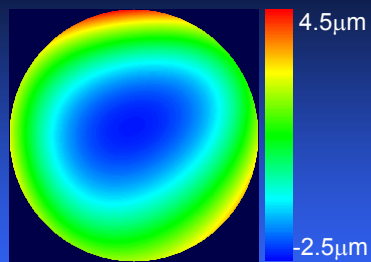


Laser Shot Pattern

Treatment Zone 9mm

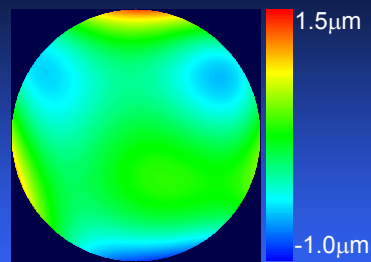
Customized LASIK Example: Pre-Op Aberrations

Total Aberration



RMS 1.51µm
UCVA 20/200

Higher Order



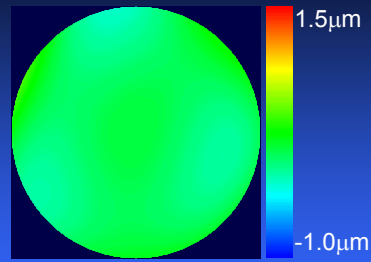
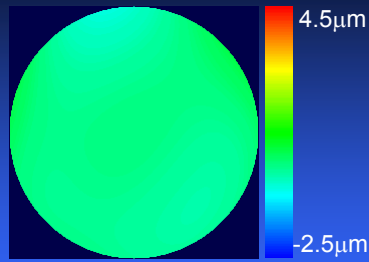
RMS 0.31µm
BCVA 20/20

Diameter = 5mm

Customized LASIK Example: Post-Op Aberrations

Total Aberration

Higher Order



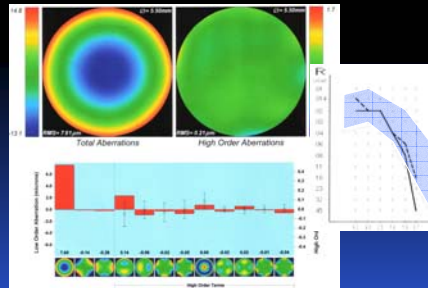
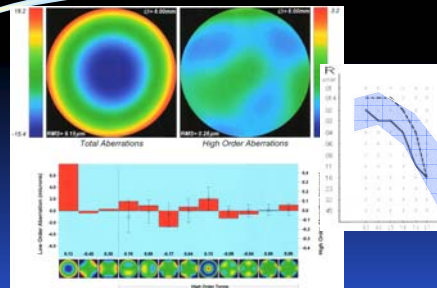
RMS 0.14µm
UCVA 20/16

RMS 0.09µm
BCVA 20/12.5

Diameter = 5mm

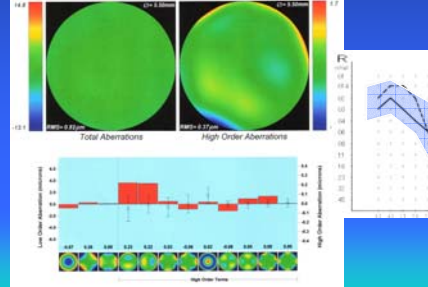
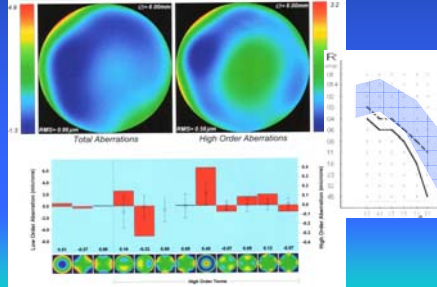
STANDARD
Preop: -7 D BCVA 20/15

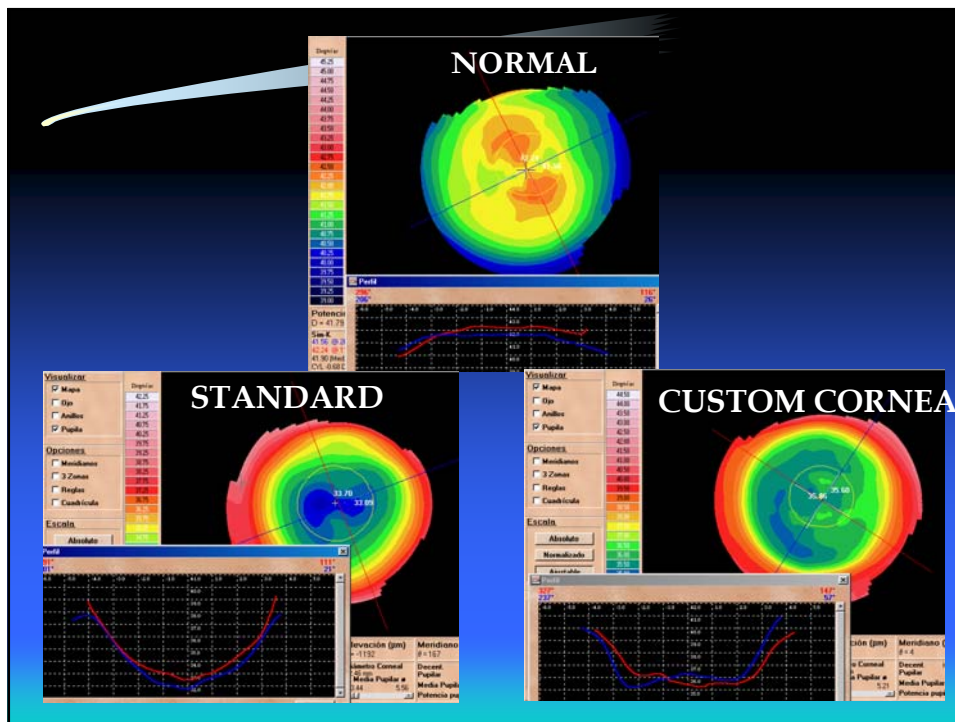
CUSTOM CORNEA
Preop: -7 D BCVA 20/15



POSTOP Rx -0.25 D BCVA 20/20

POSTOP Rx +0.25 D BCVA 20/15

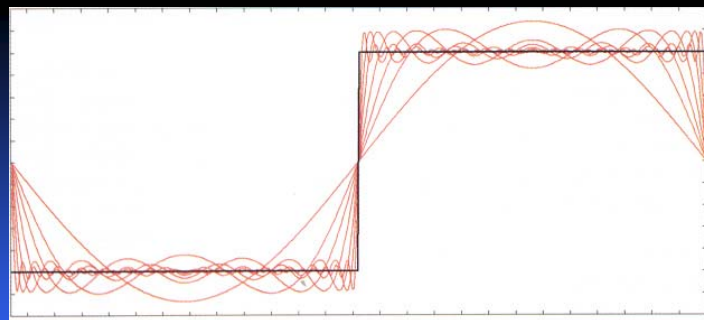




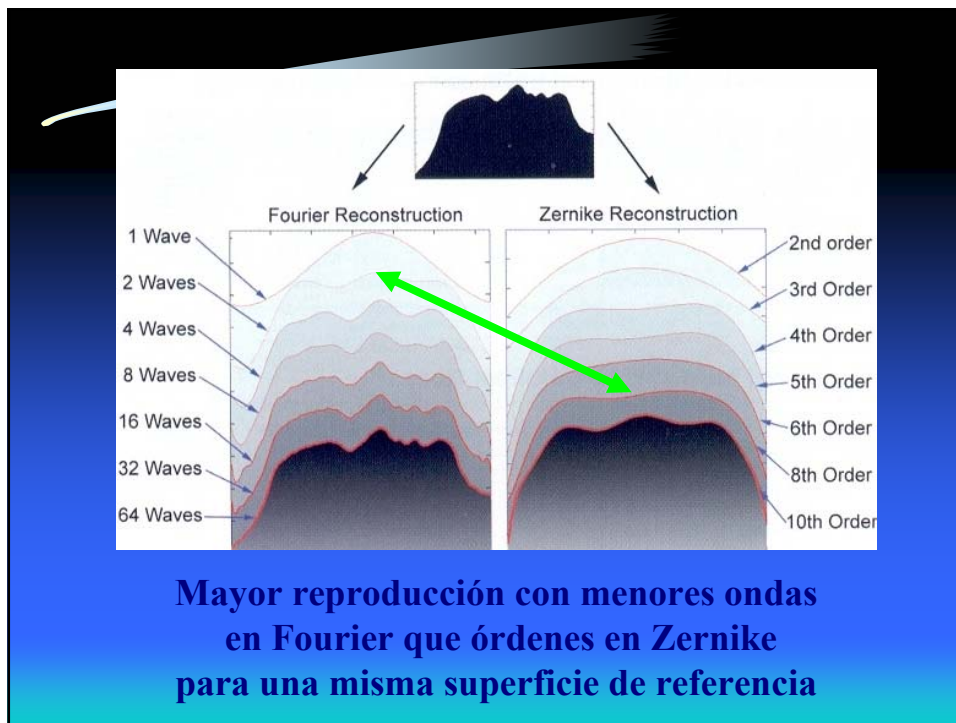
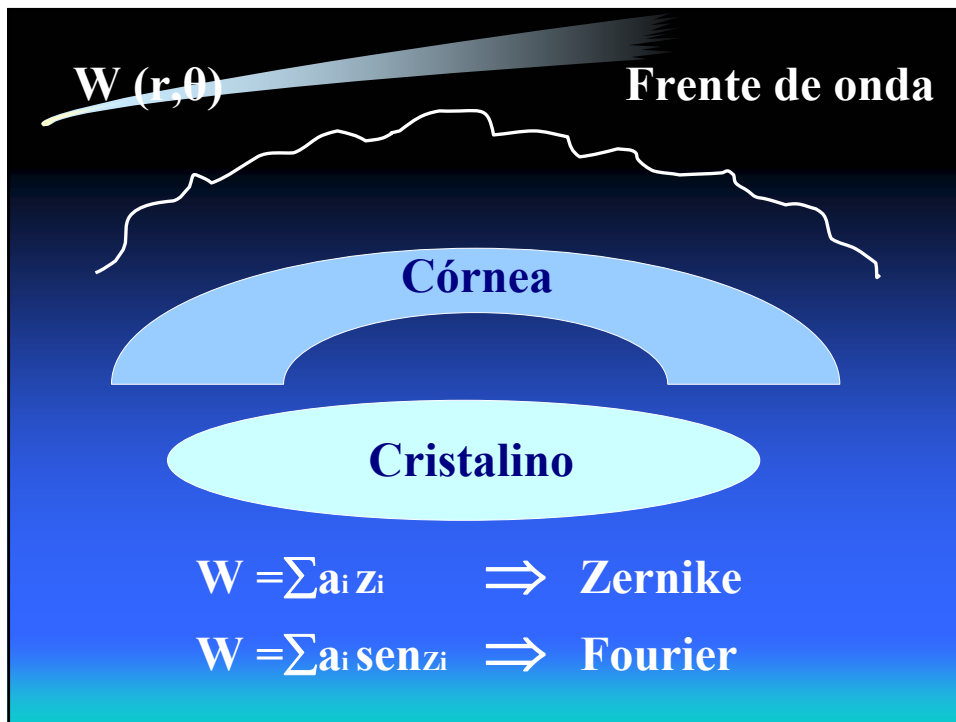
Summary

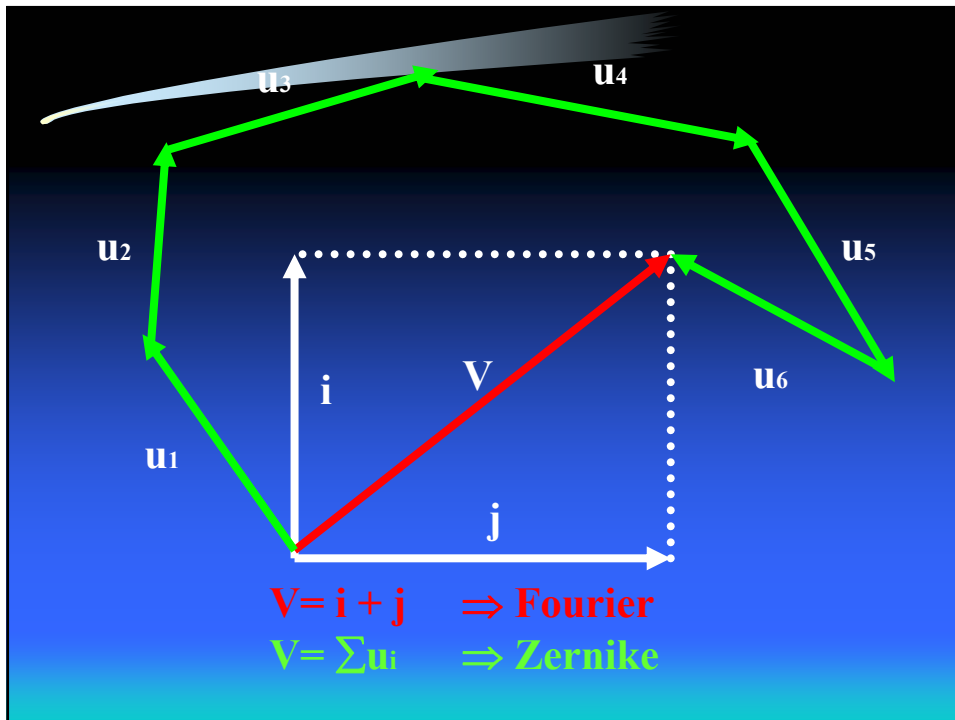
- Wavefront sensing is a powerful tool for understanding the optical functioning of the eye.
- With the right technology, measurement of the wavefront can readily be accomplished in the clinical setting.
- Wavefront data has powerful clinical utility, both in diagnosing visual complaints and in customizing refractive procedures.

7.- J B Joseph Fourier versus Frits Zernike



Mediante un número determinado de ondas
sinusoidales podemos describir una onda cuadrada

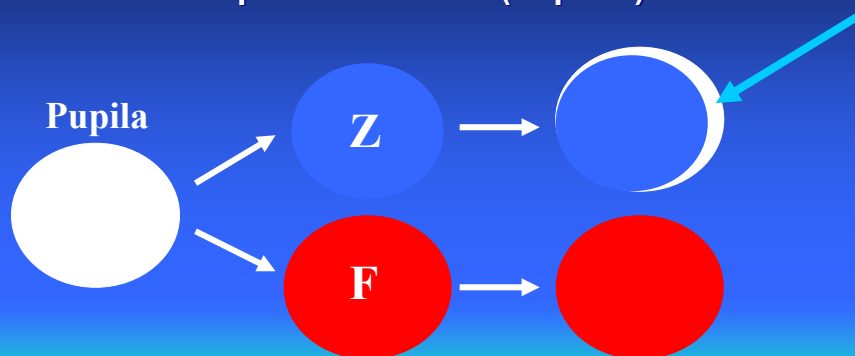


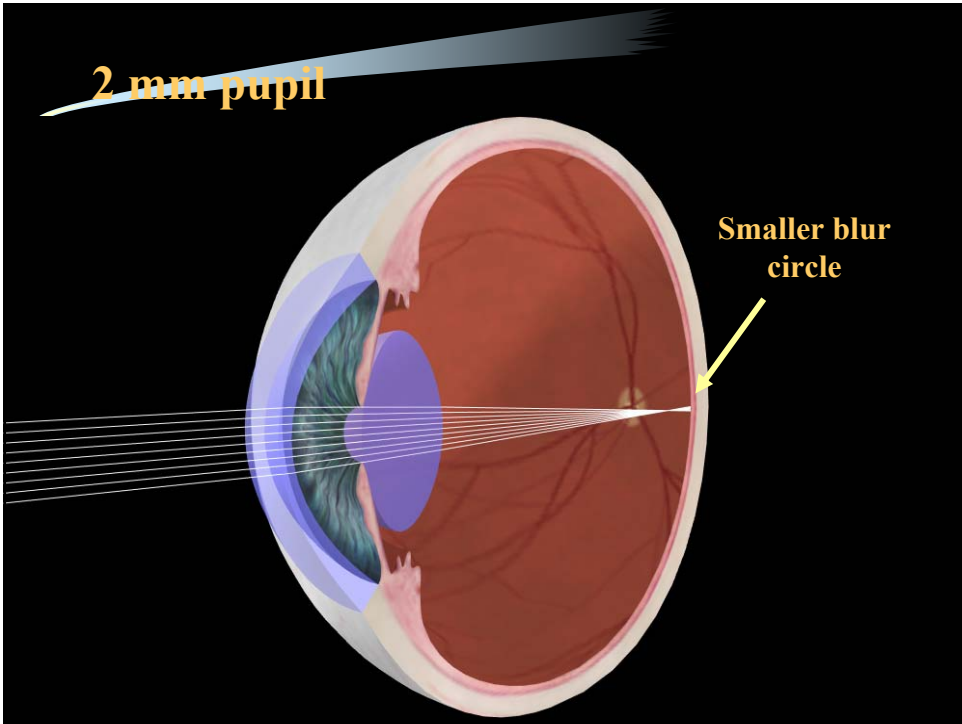
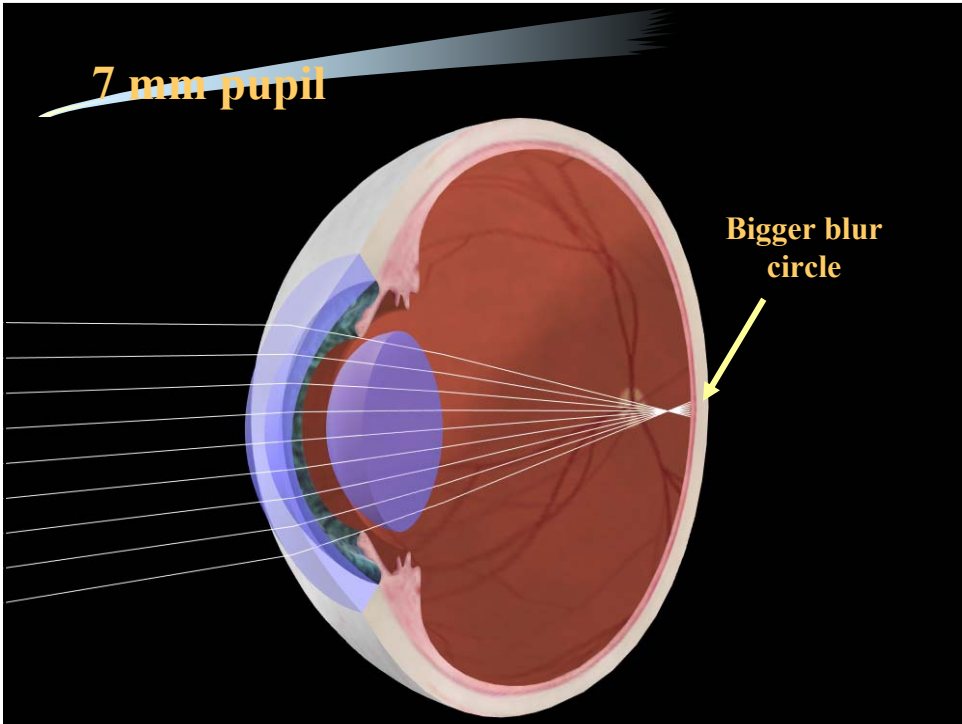


Reconstrucción de la Pupila

1.- Zernike necesita de una simetría de revolución
Pupila Circular

2.- Fourier no necesita de una simetría de revolución
Pupila no Circular (Elíptica)





Posibles Ventajas Fourier

- 1.- Menos cálculos de computación
- 2.- Mayor resolución con menos órdenes (o menor información)
- 3.- Aplicable a pupilas más reales
- 4.- Reconstrucción más real del frente de onda

Thank you

Human **Visual Performance**
Research Group

University of Valencia, Spain

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